# Flexible Enterprise Network Management on Commodity Switches 

## Nanxi Kang

Committee: Jennifer Rexford (advisor),
Nick Feamster, Sanjay Rao,
David Walker and Mike Freedman

## Manage a Network



## Address Assignment



## Routing



## Access Control



## Quality-of-Service



## Load Balancing



## Today’s Network

- Need diverse policies for different purposes
- However...
- Per-device configuration
- Limited policy support
- Expensive devices
- An F5 Load balancer costs \$50K


## Our Goals



## Support diverse policies with simple management on commodity switches

## Our Goals



## Support diverse policies with simple management on commodity switches

## Software-Defined Networks

- Decoupled control and data plane
- Use standard protocols to program switch rule-tables
- Centralized control
- network-wide view
- Flexible switch rules
- diverse policies


Control Plane


Redesign enterprise network management

## Our Goals



Support diverse policies with simple management on commodity switches

## Commodity Switches in SDN

- Unified open interfaces introduce competition to the market
$-90 \%$ off the market price of vendor switches ${ }^{[1]}$
- Commodity switches require the controller to directly deal with hardware constraints
[1] Byan Larish, "Software-Defined Networking at the National Security Agency"


## Switch Rule-table

- Each rule contains a match and an action
- Match
- e.g., exact, prefix or wildcard
- Action
- e.g., forward, drop, rewrite headers
- E.g., (src_ip = *2, dst_ip = 1.1.1.1): fwd to port 2
- Packets are processed by the $1^{\text {st }}$ matching rule


## TCAM

- Wildcard matching on multiple header fields - Used for QoS, ACL and routing ${ }^{[1]}$

[1] Cisco Catalyst 3750 Series Switches. http://www.cisco.com/c/en/us/support/ docs/switches/catalyst-3750-series-switches/44921-swdatabase-3750ss-44921.html


## Small Rule-table

- A typical TCAM can hold 500-4000 rules ${ }^{[1]}$
- Power-hungry
- Limited throughput
- Need parallel TCAM for greater throughput
- Greater throughput means smaller table


## Contributions



Support diverse policies with simple management on commodity switches

## My proposal (One-Big-Switch)



## My proposal (One-Big-Switch)



## My proposal (Attribute-Carrying IP)



DHCP Services


## My proposal (One-Big-Server)

Alpaca:
Attribute-Carrying IP

## Niagara: <br> Server Load Balancing

DHCP Services
One-Big-Server

## Thesis Overview

| Name | Abstraction | Publication |
| :---: | :---: | :---: |
| One-Big-Switch | Configure One-Big-Switch | CoNEXT'13 |
| Niagara | Configure One-Big-Server | CoNEXT'15 |
| Alpaca | Enforce attribute-based network policies | CoNEXT'15 |

# Niagara: Efficient Traffic Splitting on Commodity Switches 

## Nanxi Kang, Monia Ghobadi, John Reumann, Alexander Shraer, Jennifer Rexford

## Service load balancing

- A network hosts many services (Virtual-IPs)
- Each service is replicated for greater throughput
- A load balancer spreads traffic over service instances

X
> Appliances: costly
> Software: limited throughput


## Hierarchical Load Balancer

- Modern LB scales out with a hierarchy ${ }^{[1][2]}$
- A hardware switch split traffic over SLBs
- SLBs direct requests to servers
- SLBs track connections and monitor health of servers
- Traffic split at the switch is the key to scalability

[1]: Duet (SIGCOMM'14)
[2]: Ananta (SIGCOMM'13)


## Accurate Weighted Split

- SLBs are weighted in the traffic split
- Throughput of SLB
- Deployment of VIP
- Failures, or recovery


Symmetry



Asymmetry of LB


## Existing hash-based split

- Hash-based ECMP
- Hash 5-tuple header fields of packets
- Dst_SLB = Hash_value mod \#SLBs

| Dst\|P | Action |  | ECMP | Mod | Action |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1.1.1.1 | Hash, ECMP Group 1 |  | 1 | 0 | Forward to 1 |
| $\ldots$ | $\ldots$ |  | 1 | 1 | Forward to 2 |
|  |  |  | $\ldots$ | $\ldots$ | $\ldots$ |

Equal split over two SLBs

## Existing hash-based split

- Hash-based ECMP
- Hash 5-tuple header fields of packets
- Dst_SLB = Hash_value mod \#SLBs
- WCMP gives unequal split by repeating

| DstIP | Action | ECMP | Mod | Action |
| :---: | :---: | :---: | :---: | :---: |
| 1.1.1.1 | Hash, ECMP Group 1 | 1 | 0 | Forward to 1 |
| ... | ... | 1 | 1 | Forward to 2 |
|  |  | 1 | 2 | Forward to 2 |
|  |  | $\cdots$ | ... | ... |

$(1 / 3,2 / 3)$ is achieved by adding the second SLB twice

## Existing hash-based split

- ECMP and WCMP only split the flowspace equally
- WCMP cannot scale to many VIPs, due to the rule-table constraint
- e.g., (1/8, 7/8) takes 8 rules

| DstIP | Action |  | ECMP | Mod |
| :---: | :---: | :---: | :---: | :---: |
| 1.1.1.1 | Hash, ECMP Group 1 |  | Action |  |
| $\ldots$ | $\ldots$ | 0 | Forward to 1 |  |
|  |  |  | 1 | 1 |

## A wildcard-matching approach

- OpenFlow + TCAM
- OpenFlow : program rules at switches
- TCAM : support wildcard matching on packet headers
- A starting example
- Single service : VIP = 1.1.1.1
- Weight vector: $(1 / 4,1 / 4,1 / 2)$


| Match <br> (dst_ip, src_ip) |  | Action |
| :---: | ---: | :--- |
| 1.1 .1 .1 | $* 00$ | Forward to 1 |
| 1.1 .1 .1 | $* 01$ | Forward to 2 |
| 1.1 .1 .1 | $*$ | Forward to 3 |

## Challenges: Accuracy


1/6
1/3
1/2


- How rules achieve the weight vector of a VIP?
- Arbitrary weights
- Non-uniform traffic distribution over flowspace
\#bytes or \#connections


## Challenges: Accuracy



- How rules achieve the weight vector of a VIP?
- Arbitrary weights 1. Approximate weights with rules
-Non-uniform traffic distribution over flowspace
- How VIPs (100-10k) share a rule table ( $\sim 4,000$ )?

2. Packing rules for multiple VIPs
3. Sharing default rules
4. Grouping similar VIPs

## Challenges: Accuracy



| $1 / 6$ | $1 / 4$ |
| :--- | :--- |
| $1 / 3$ | $1 / 4$ |
| $1 / 2$ | $1 / 2$ |



- How rules achieve the weight vector of a VIP?
- Arbitrary weights

1. Approximate weights with rules

- Non-uniform traffic distribution over flowspace
- How VIPs (100-10k) share a rule table (~4,000)?

2. Packing rules for multiple VIPs
3. Sharing default rules
4. Grouping similar VIPs

Niagara: rule generation algorithms!

## Basic ideas




- Uniform traffic distribution
- e.g., *000 represents 1/8 traffic
- "Approximation" of the weight vector?
- Header matching discretizes portions of traffic
- Use error bound to quantify approximations
- $1 / 3 \approx 1 / 8+1 / 4$

| Match | Action |
| ---: | :---: |
| *100 | Forward to 1 |
| *10 | Forward to 1 |

## Naïve solution

- Bin pack suffixes
- Round weights to multiples of $1 / 2^{k}$
- When $\mathrm{k}=3$, $(1 / 6,1 / 3,1 / 2) \approx(1 / 8,3 / 8,4 / 8)$

- Observation
$-1 / 3 \approx 3 / 8=1 / 2-1 / 8$ saves one rule
- Use subtraction and rule priority
*000 Fwd to 1
*100 Fwd to 2
*10 Fwd to 2
*1 Fwd to 3
*0 Fwd to 2
Fwd to 3


## Approximation with $1 / 2^{\mathrm{k}}$

- Approximate a weight with powers-of-two terms -1/2, 1/4, 1/8, ...
- Start with

| \# | Weight | Approx | Error |
| :---: | :---: | :---: | :---: |
|  | $w$ | $v$ | $v-w$ |
| 1 | $1 / 6$ | 0 | $-1 / 6$ |
| 2 | $1 / 3$ | 0 | $-1 / 3$ |
| 3 | $1 / 2$ | 1 | $1 / 2$ |

## Approximation with $1 / 2^{k}$

- Reduce errors iteratively
- In each round, move $1 / 2^{\mathrm{k}}$ from an over-approximated weight to an under-approximation weight

| \# | Weight <br> w | Approx <br> V | $\begin{aligned} & \text { Error } \\ & v-w \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| 1 | 1/6 | 0 | -1/6 |
| 2 | 1/3 | 0 | -1/3 Unde |
| 3 | 1/2 | 1 | 1/2 Over |
| 1 | 1/6 | 0 | -1/6 |
| 2 | 1/3 | 1/2 | $-1 / 3+1 / 2=1 / 6$ |
| 3 | 1/2 | 1-1/2 | 1/2-1/2 = 0 |

## Initial approximation

| $\#$ | Weight | Approx | Error |
| :---: | :---: | :---: | :---: |
| 1 | $1 / 6$ | 0 | $-1 / 6$ |
| 2 | $1 / 3$ | 0 | $-1 / 3$ |
| 3 | $1 / 2$ | 1 | $1 / 2$ |


|  |  |
| :---: | :---: |
|  |  |
| * | Fwd to 3 |



## Move $1 / 2$ from $W_{3}$ to $W_{2}$

| \# | Weight | Approx | Error |
| :---: | :---: | :---: | :---: |
| 1 | $1 / 6$ | 0 | $-1 / 6$ |
| 2 | $1 / 3$ | $1 / 2$ | $1 / 6$ |
| 3 | $1 / 2$ | $1-1 / 2$ | 0 |


|  |  |
| ---: | :--- |
|  |  |
| *0 | Fwd to 2 |
| * | Fwd to 3 |



## Final result

| $\#$ | Weight | Approx |
| :---: | :---: | :---: |
| 1 | $1 / 6$ | $1 / 8+1 / 32$ |
| 2 | $1 / 3$ | $1 / 2-1 / 8-1 / 32$ |
| 3 | $1 / 2$ | $1-1 / 2$ |


| *00100 | Fwd to 1 |
| ---: | :--- |
| *000 | Fwd to 1 |
| *0 | Fwd to 2 |
| * | Fwd to 3 |



Reduce errors exponentially!

## Truncation

- Limited rule-table size?
- Truncation, i.e., stop iterations earlier
- Imbalance: $\Sigma \mid$ error $_{i} \mid / 2$
- Total over-approximation

| $* 00100$ | Fwd to 1 |
| ---: | :--- |
| $* 000$ | Fwd to 1 |
| ${ }^{* 0}$ | Fwd to 2 |
| $*$ | Fwd to 3 |


| *000 | Fwd to 1 |
| ---: | :--- |
| $* 0$ | Fwd to 2 |
| $*$ | Fwd to 3 |

Full rules Imbalance $=1 \%$

Rules after truncation Imbalance = 4\%

## Stairstep: \#Rules v.s. Imbalance



## Multiple VIPs

| $1 / 6$ | $1 / 4$ |
| :--- | :--- |
| $1 / 3$ | $1 / 4$ |
| $1 / 2$ | $1 / 2$ |



- How rules achieve the weight vector of a VIP?
- Arbitrary weights
- Non-uniform traffic distribution over flowspace
- How VIPs (100-10k) share a rule table $(\sim 4,000)$ ?

Minimize $\quad \Sigma$ traffic_volume $_{j} x \Sigma \mid$ error $_{i j} \mid / 2$

## Characteristics of VIPs

- Popularity : Traffic Volume

- Easy-to-approximate : Stairsteps



## Stairsteps

- Each stairstep is scaled by its traffic volume



## Rule allocation



## Rule allocation



## Pack Result

Packing result for table capacity $\mathrm{C}=5$
VIP 1: 2 rules
VIP 2: 3 rules
Total imbalance = 9.17\%

|  |  |
| :---: | :---: |
| Match (dst, src) | Action |
| VIP 1, *0 | Fwd to 2 |
| VIP 1, * | Fwd to 3 |
| VIP 2, *00 | Fwd to 1 |
| VIP 2, *01 | Fwd to 2 |
| VIP 2, * | Fwd to 3 |

## Sharing default rules

- Build default split for ALL VIPs

| $1 / 6$ | $1 / 4$ |
| :--- | :--- |
| $1 / 3$ | $1 / 4$ |
| $1 / 2$ | $1 / 2$ |

Weights

| 0 |
| :---: |
| $1 / 2$ |
| $1 / 2$ |

Default

| 1/6 | 1/4 |
| :---: | :---: |
| -1/6 | -1/4 |
| 0 | 0 |


| VIP 1, *0 | Fwd to 2 |
| :--- | :--- |
| VIP 1, ${ }^{*}$ | Fwd to 3 |
| VIP 2, *00 | Fwd to 1 |
| VIP 2, *01 | Fwd to 2 |
| VIP 2, | * |

Imbalance = 9.17\%

## Load Balance 10,000 VIPs

- Weights
- Gaussian: equal weights
- Bimodal: big (4x) and small weights
- Pick_Next-hop: big(4x), small and zero-value weights
- 16 weights per VIP

Imbalance of ECMP


## Niagara Summary

- Wildcard matches approximate weights well
- Exponential drop in errors
- Prioritized packing reduces imbalance sharply
- Default rules serve as a good starting point
- Full algorithms
- Multiple VIP Grouping
- Incremental update
- reduce "churn", multi-stage update, flow consistency
- Niagara for multi-pathing


# Alpaca: Compact Network Policies with Attribute-Carrying Addresses 

## Nanxi Kang, Ori Rottenstreich, Sanjay Rao, Jennifer Rexford

## Attribute-Carrying IP



DHCP Services

## Attribute-based Network Policies

- Policies are defined based on host attributes
- Permit CS hosts to a database
- Rate limit student hosts' traffic to 50Mbps
- We surveyed policies in 22 campus networks - ACL and QoS consider Departments and Roles
- ACL may ban particular OS
- QoS may give different priorities based on Usage


## Dimensions and Attributes

- Dimensions: orthogonal categorization
- Attributes: values in a dimension

| Dimension | Example Attributes |
| :---: | :---: |
| Department | CS, EE |
| Role | Faculty, Students |
| Security Level | Deny all, Permit web (80), Permit SSH |
| Status | In service, In testing |
| Location | - |
| Usage | Research, Teaching, Infrastructure |
| CS_owned | Yes, No |
| OS | MacOS, Windows |

## Attribute-Carrying IP (ACIP)

- Embed attribute information
- Do once when hosts join the network
- Reduce rule space usage
- Aggregate addresses



## ACIP Allocation

| Host | Owner role | Department |
| :---: | :---: | :---: |
| Alice | Faculty | EE |
| Bob | Student | CS |
| Charlie | Student | CS |



## Solutions: Use $2^{\text {k }}$

- An address pattern with $k$ *s represent $2^{k}$ hosts
- e.g., $00^{* *}$ represents $2^{2}=4$ hosts
- Use $2^{\mathrm{k}}$ to represent group sizes

|  | CS | EE |
| :--- | :---: | :---: |
| Faculty | 5 | 3 |
| Students | 2 | 6 |
|  |  |  |
|  | CS | EE |
| Faculty | $\mathbf{1 + 4}$ | $1+2$ |
| Students | 2 | $2+4$ |


| (CS, Faculty, 1) |
| :--- |
| (CS, Faculty, 4) |
|  |
|  |
|  |

## Solutions: Use $2^{\text {k }}$

- An address pattern with $k$ *s represent $2^{k}$ hosts
- e.g., $00^{* *}$ represents $2^{2}=4$ hosts
- Use $2^{\mathrm{k}}$ to represent group sizes

|  | CS | EE |
| :--- | :---: | :---: |
| Faculty | 5 | 3 |
| Students | 2 | 6 |
|  |  |  |
|  | CS | EE |
| Faculty | $\mathbf{1 + 4}$ | $1+2$ |
| Students | 2 | $2+4$ |

(CS, Faculty, 1)
(CS, Faculty, 4)
(EE, Faculty, 1)
(EE, Faculty, 2)
(CS, Students, 2)
(EE, Students, 2)
(EE, Students, 4)

## Representation of Attributes

- 8 Faculty hosts
- (CS, F, 1), (CS, F, 4), (EE, F, 1), (EE, F, 2)

Worst case: 4 patterns
Can we do better?
(CS, Faculty, 1)
(CS, Faculty, 4)
(EE, Faculty, 1)
(EE, Faculty, 2)
(CS, Students, 2)
(EE, Students, 2)
(EE, Students, 4)

## Flip bits

- Flip one bit for two terms with
- at least one attribute in common
- equal values

| (CS, Faculty, 1) | 0000 | $000 *$, (/, Faculty, 2) |
| :---: | :---: | :---: |
| (CS, Faculty, 4) |  |  |
| (EE, Faculty, 1) | 0001 |  |
| (EE, Faculty, 2) |  |  |
| (CS, Students, 2) |  |  |
| (EE, Students, 2) |  |  |
| (EE, Students, 4) |  |  |

## Flip bits

- Flip one bit for two terms with
- at least one attribute in common
- equal values

| (CS, Faculty, 1) | 0000 |
| :---: | :---: |
| (CS, Faculty, 4) | $01^{* *}$ |
| (EE, Faculty, 1) | 0001 |
| (EE, Faculty, 2) | $001^{*}$ |
| (CS, Students, 2) | $100^{*}$ |
| (EE, Students, 2) |  |
| (EE, Students, 4) | $101^{*}$ |

## Classification rules

- Role
- Faculty: 0***
- Students: 1***

| (CS, Faculty, 1) | 0000 |
| :---: | :---: |
| (CS, Faculty, 4) | $01^{* *}$ |
| (EE, Faculty, 1) | 0001 |
| (EE, Faculty, 2) | $001^{*}$ |
| (CS, Students, 2) | $100^{*}$ |
| (EE, Students, 2) | $101^{*}$ |
| (EE, Students, 4) | $11^{* *}$ |

## Classification rules

- Role
- Department
- CS: 0000, 100*, 01**
- EE: 0001, *01*, 11**

Configure Alpaca to compute prefix or wildcard patterns

| (CS, Faculty, 1) | 0000 |
| :---: | :---: |
| (CS, Faculty, 4) | $01^{* *}$ |
| (EE, Faculty, 1) | 0001 |
| (EE, Faculty, 2) | $001^{*}$ |
| (CS, Students, 2) | $100^{*}$ |
| (EE, Students, 2) | $101^{*}$ |
| (EE, Students, 4) | $11^{*}$ |

## Evaluation

- Princeton CS data: 6 dimensions, $\sim 1500$ hosts
- Metric: $\Sigma$ |classification rules for a dimension|
- Compared with

```
SingleDim Classify hosts along "Department", e.g., VLAN
SD_PFX "Department": SingleDim
        Others : Optimal prefix compression
    SD_WC "Department": SingleDim
        Others : Wildcard compression heuristics
```


## Increased \#dimensions



## Increase \#hosts



## Alpaca Summary

- Flip bits to allocate ACIPs to host groups
- Optimize address allocation is more effective than compression on fixed address allocation
- Full algorithm:
- Incremental update of ACIP allocation


# Optimizing the One-Big-Switch Abstraction in Software-Defined Networks 

Nanxi Kang, Zhenming Liu, Jennifer Rexford, David Walker

## Optimize One-Big-Switch Abstraction



Endpoint policy (e.g., ACL)


Routing policy
(e.g., shortest-path)


## Put Everthing All Together



## Contributions

Diverse<br>Policies



## Smart algorithms realize simple abstractions!

## Thanks!

