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[Chazelle, Bernard](#)

The discrepancy method. Randomness and complexity. (English)

[B] Cambridge: Cambridge University Press. xviii, 463 p. \\$ 64.95; \sterling 40.00 (2000). [ISBN 0-521-77093-9/hbk]

The discrepancy method (DiscMeth) has to be understood not as a particular proof technique but merely as the common core of a large and varied set of problems. Under this name, one can find many powerful tools and techniques from the field of complexity theory and algorithm design, together with recent developments in areas as diverse as probabilistic algorithms, derandomization, communication complexity, searching, machine learning, pseudorandomness, computational geometry, optimization, computer graphics, and mathematical finance. The book tells the DiscMeth story by means of specific examples, including both upper bounds (algorithm design) and lower bounds (complexity theory).

The fundamentals of DiscMeth are presented in the first three chapters, introducing the main tools and a pool of techniques to be used in the subsequent chapters. The book includes a variety of topics, such as communication complexity, pseudorandomness, rapidly mixing Markov chains, sampling, linear programming, circuit complexity, geometry, searching, linear selection, and matroid optimization, all the approaches being defined in a clear mathematical and self-contained manner. As the author says, the book is addressed to "anyone who is curious about algorithms, complexity, and their relation to classical mathematics", and also to "everyone with a taste for theoretical computer science".

The idea of DiscMeth is increasingly encapsulated within the 11 chapters of the book, that have the following titles: Combinatorial discrepancy (Chap. 1); Upper bound techniques (Chap. 2); Lower bound techniques (Chap. 3); Sampling (Chap. 4); Geometry searching (Chap. 5); Complexity lower bounds (Chap. 6); Convex hulls and Voronoi diagrams (Chap. 7); Linear programming and extensions (Chap. 8); Pseudorandomness (Chap. 9); Communication complexity (Chap. 10); Minimum spanning trees (Chap. 11).

Each chapter ends with interesting bibliographical notes, while the book ends with three useful appendices: Probability theory (App. 1); Harmonic analysis (App. 2); Convex geometry (App. 3).

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MSC 2000:

- *[65Y20](#) Complexity and performance of numerical algorithms
- [68-02](#) Research monographs (computer science)
- [65-02](#) Research monographs (numerical analysis)
- [68T05](#) Learning and adaptive systems
- [68T20](#) Problem solving
- [65C50](#) Other computational problems in probability
- [68Q25](#) Analysis of algorithms and problem complexity
- [68U05](#) Computational geometry, etc.
- [90C05](#) Linear programming
- [65K05](#) Mathematical programming (numerical methods)
- [91B28](#) Finance etc.

Keywords: textbook; discrepancy method; complexity theory; algorithm design; probabilistic algorithms; derandomization; communication complexity; searching;

machine learning; pseudorandomness; computational geometry; optimization; computer graphics; mathematical finance; Markov chains; sampling; linear programming; circuit complexity; Voronoi diagrams

[*Cited in Zbl. reviews...*](#)