# COS320: Compiling Techniques

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- HW3 due today
- HW4 released today, due April 11th. You will implement a typechecker and translator for an extension of Oat.

## Oat v2

- Specified by a (fairly large) type system
  - $\sim$ 20 judgements,  $\sim$ 80 inference rules
  - Invest some time in making sure you understand how to read them
- Adds several features to the Oat language:
  - Memory safety
    - nullable and non-null references. Type system enforces no null pointer dereferences.
    - Run-time array bounds checking (like Java, OCaml)
  - Mutable record types
  - Subtyping
    - ref <: ref?: non-null references are a subtype of nullable references
    - Record subtyping: width but not depth (why?)

Compiling with Types

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  - Compiler must ensure that target program is well-typed
- IR may also have its own type system (LLVM)
  - Your backend does not check types, but does throw exceptions for (some) ill-typed programs
  - LLVM does check types: use --clang to check that your front-end produces type-correct code

We can think of compilation as translation of derivations of judgements from a source language to a target language

- Each kind of judgement has a different translation category. E.g.,
  - Well-formed types in source become well-formed types in target
  - Expressions in source become (operand, instruction list) pairs in target
    ...
- Each inference rule corresponds to a case within that category

## Oat v1 (HW3) – well-formed types

Judgements take the form:

- $\vdash t$ : "t is a well-formed type" (ty)
- $\vdash_r ref$ : "ref is a well-formed reference type" (rty)
- $\vdash_{rt} rt$ : "rt is a well-formed return type" (ret\_ty)

TINT		TBOOL			$\stackrel{TRef}{\vdash_r}{ref}$	
$\vdash \texttt{int}$		⊢ bool	-		⊢ ref	
RSTRING	$\frac{RARRAY}{\vdash_{x} t[]}$		$\frac{RFUN}{\vdash t_1}$	$\frac{\ldots}{-r(t_1\ldots)}$	$\frac{\vdash t_n}{\ldots t_n} \rightarrow$	rt
.,	RTVoid			$\frac{RTTYP}{\vdash t}$	, .,, ,, ,, ,	
	$\vdash_{rt} void$			$\vdash_{rt} t$		

#### LLVMlite well-formed types

Judgements take the form:

- $T \vdash t$ : With named types T, t is a well-formed type
- $T \vdash_s t$ : With named types T, t is a well-formed simple type
- $T \vdash_r t$ : With named types T, t is a well-formed reference type
- $T \vdash_{rt} t$ : With named types T, t is a well-formed return type

LLBOOL	LLINT	$\frac{LLPTR}{T\vdash_r ref}$	$\begin{array}{cc} LLTUPLE \\ T \vdash t_1 & \dots \end{array}$	$T \vdash t_n$	$LLARRAY_{T \vdash t} \qquad m \in \mathbb{N}$
$T \vdash_s \mathtt{i1}$	$T \vdash_s i64$	$T \vdash_s \textit{ref}*$	$T \vdash \{t_1, .$	$\ldots, t_n$ }	$\frac{1}{T \vdash [n \times t]}  n \in \mathbb{N}$
$\frac{LLSIMF}{\vdash t}$	PLE	$\frac{LLRTVoid}{T\vdash_{rt}void}$	$\frac{LLRTSIMPLE}{T \vdash_s t}$	$\frac{LLRCHAR}{T\vdash_ri8}$	$\frac{LLRTYPE}{T \vdash t}$
	$\frac{LLRFUN}{T\vdash_{rt}rt}$	$\frac{T \vdash_s t_1 \dots}{T \vdash_r rt(t_1, \dots, t_n)}$	$T \vdash_s t_n$	$\frac{LLNAMED}{T \vdash \%uid} \%$	$uid \in T$

# Translating well-formed types

- Each well-formed Oat type is translated to a well-formed LLVM type
  - types → simple types (cmp\_ty)
  - reference types → reference types (cmp\_rty)
  - return types  $\rightarrow$  return types (cmp\_ret\_ty)
- Use ~> to denote translation of derivations

#### Translating well-formed types

Suppose we have a well-formed type Oat type,  $\vdash t$ . There are three inference rules:

ΤΙΝΤ	TBOOL	TRef
		$dash_r$ ref
⊢ int	⊢ bool	⊢ ref

Each has a corresponding case:



#### Translating well-formed types



## Translating well-formed array types

- In Oat v2, arrays accesses are checked at runtime
- **Recall**: Can implement run-time array access checking by allocating additional memory at the beginning of the array to store its size
- In Oat v1, arrays accesses are unchecked, but for forwards-compatibility we represent arrays in the same way.

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where  $\vdash t \rightsquigarrow \vdash_s t'$ 

# Summary of type translation

Succint notation:  $[\![\vdash J]\!] = J'$  denotes that a derivation with root J translates to a derivation with root J'

- $\llbracket \vdash \mathsf{int} \rrbracket = \vdash_s \mathsf{i64}$
- $\llbracket \vdash \mathsf{bool} \rrbracket = \vdash_s \mathsf{il}$
- $\llbracket \vdash ref \rrbracket = \vdash_s t*$ , where  $\vdash_r t = \llbracket \vdash_r ref \rrbracket$
- $\llbracket \vdash_r \operatorname{string} \rrbracket = \vdash_r \operatorname{i8}$
- $\llbracket \vdash_r t \llbracket \rrbracket \rrbracket = \vdash_r \{i64, \llbracket 0xt' \rrbracket\}$ , where  $\vdash_s t' = \llbracket \vdash t \rrbracket$
- $\llbracket \vdash_r (t_1, \ldots, t_n) \rightarrow rt \rrbracket = \vdash_{rt} rt'(t'_1, \ldots, t'_n)$ , where
  - $\vdash_{rt} rt = \llbracket \vdash_{rt} rt \rrbracket$ , •  $\vdash_s t'_1 = \llbracket \vdash t_1 \rrbracket$ , ...,  $\vdash_s t'_n = \llbracket \vdash t_n \rrbracket$
- $\llbracket \vdash_{rt} \texttt{void} \rrbracket = \vdash_{rt} \texttt{void}$
- $\llbracket \vdash_{rt} t \rrbracket = \vdash_{rt} t$ , where  $\vdash_s t = \llbracket \vdash t \rrbracket$

(see: cmp\_ty, cmp\_rty, cmp\_ret\_ty in HW3)

#### Well-formed codestreams

Judgements take the form

- $\Gamma \vdash s \Rightarrow \Gamma'$ : "under type environment  $\Gamma$ , code stream s is well-formed and results in type environment  $\Gamma''$ "
- $\Gamma \vdash opn : t$ : "under type environment  $\Gamma$ , operand *opn* has type t"

Num

$$\frac{1}{\Gamma \vdash id:t} \Gamma(id) = t \qquad \qquad \frac{1}{\Gamma \vdash n: i64} n \in \mathbb{Z}$$

Add

Ы

$$\frac{\Gamma \vdash \textit{opn}_1: \texttt{i64} \qquad \Gamma \vdash \textit{opn}_2: \texttt{i64}}{\Gamma \vdash \%\textit{uid} = \texttt{add} \quad \texttt{i64} \quad \textit{opn}_1, \textit{opn}_2 \Rightarrow \Gamma\{\%\textit{uid} \mapsto \texttt{i64}\}} \ \%\textit{uid} \notin \textit{dom}(\Gamma)$$

$$\begin{array}{ccc} \displaystyle \underbrace{ \mathsf{SEQ}} \\ \displaystyle \underline{\Gamma \vdash s_1 \Rightarrow \Gamma' & \Gamma' \vdash s_2 \Rightarrow \Gamma'' } \\ \hline \Gamma \vdash s_1, s_2 \Rightarrow \Gamma'' & \hline \\ \hline \Gamma \vdash \epsilon \Rightarrow \Gamma & \dots \text{ lots more} \end{array} \end{array}$$

### Well-typed expressions

. . .



Expression compilation (cmp\_exp) translates a type judgement  $\Gamma \vdash e: t$  to

- A codestream judgement  $\Gamma_{ll} \vdash s \Rightarrow \Gamma'_{ll}$ , and
- An operand judgement  $\Gamma'_{ll} \vdash opn : t_{ll}$

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  - Define  $[\![\texttt{ctxt}]\!]$  to be the (LLVM) type environment associated with ctxt
    - $\llbracket \epsilon \rrbracket = \epsilon$  (empty context translates to empty context)
    - $\llbracket \mathsf{ctxt}, x \mapsto (id, t) \rrbracket = \Gamma_{ll}, id \mapsto t$ , where  $\llbracket \mathsf{ctxt} \rrbracket = \Gamma_{ll}$
  - Codestream:  $[[ctxt]] \vdash \% uid = load t, t* id \Rightarrow [[ctxt]] \{\% uid \mapsto t\}$
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- Let  $(\llbracket \mathsf{ctxt} \rrbracket \vdash s_1 \Rightarrow \Gamma_1, \Gamma_1 \vdash opn_1 : \mathsf{i64}) = \llbracket e_1 \rrbracket (\mathsf{ctxt})$
- Let  $(\Gamma_1 \vdash s_2 \Rightarrow \Gamma_2, \Gamma_2 \vdash opn_2 : i64) = \llbracket e_2 \rrbracket(\mathsf{ctxt})$
- Codestream:  $[[ctxt]] \vdash s_1, s_2, \%uid = add i64 opn_1, opn_2) \Rightarrow \Gamma_2\{\%uid \mapsto i64\}$
- Operand:  $\Gamma_2\{\%uid \mapsto i64\} \vdash \%uid: i64$

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- *Semantic analysis* phase takes AST as input, constructs symbol table and performs well-formedness checks
- Well-formedness derivations can impact compilation. E.g.,
  - x.field gets compiled differently depending on the type of x
  - We may have to emit bitcasts for uses of subsumption
- Compiler translates derivations of well-formedness judgements in the source language to derivations of well-formedness judgements in the target language
  - In an implementation, this viewpoint implicit
    - Don't need to do all the bookkeeping involved in manipulating derivations
  - But it is helpful for understanding how to organize the translation
    - E.g., cmp\_exp returns a triple L1.ty \* L1.operand \* stream In a sense: infers derivations in the source language "on the way down" builds derivations in the target language "on the way up" Only remembers the type of the operand (used in some compilation rules).