# Topic 16: Issues in compiling functional and object-oriented languages 

## COS 320

## Compiling Techniques

Princeton University Spring 2016

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## Compiling functional and OO languages

General structure of compiler unchanged

## Main challenges in functional languages: <br> - semantic analysis: parametric polymorphism <br> - code generation: higher-order functions

Main challenges in object-oriented languages:

- semantic analysis classes and inheritance, access restrictions (private/public,...)
- code generation: method dispatch

Also: garbage collection (Java, ML, Haskell, ...)

## Parametric polymorphism -- motivation

fun ilist_length (I: int_list) : nat := ...
fun clist_length (l: char_list) : nat := ... fun slist_length (l: string_list) : nat := ...
a: type variable
fun list_length (l: a list) : nat := case I with nil $\rightarrow 0 \mid(\mathrm{h}:: \mathrm{t}) \rightarrow 1+$ list_length t


- benefits for programmer:
- code reuse; flexible libraries
- code clarity: same behavior/structure $\rightarrow$ same code\}
- modularity / information hiding
- benefits for compiler: no code duplication $\rightarrow$ no duplicate analysis


## Polymorphism - code generation strategies

- monomorphization: compiler identifies all possible instantiations, generates separate code for each version, and calls the appropriate version (type information at call sites)
+ conceptually simple - "core language" remains monomorphic
+ instantiations can use different representations, and be optimized more specifically
- requires whole-program compilation (identify all instantiations);
hence no separately compiled (polymorphic) libraries!
- code duplication
- monomorphization at JIT compilation
- not every compiler / language / application suitable for JIT
- uniform representation for all types ("boxed", ie one pointer indirection - even for scalar types like int, float)
+ avoids code duplication and JIT overhead
- memory overhead; pointer indirection costly at runtime
- "intensional types" / dynamic dispatch: maintain runtime representations of types, use this to identify which code to invoke - memory overhead, runtime overhead

Polymorphism - type analysis

Intuitive interpretation of type variables: "for all"

- explicit polymorphism:
- position of universal quantification syntactically explicit
- in particular: non-top level quantification allowed
(nat $\rightarrow$ (forall $\alpha, a$ list )) $\rightarrow$ nat), forall $\beta$, ( $\beta$ tree $\rightarrow$ forall $a,(a \times \beta)) \rightarrow$ nat
Very expressive! Only type checking!
- implicit polymorphism*:
universal quantification only at top-level, hence syntactically redundant
forall $\alpha$, ( list $\rightarrow$ nat), forall a $\beta$, $(\beta$ tree $\rightarrow(\alpha \times \beta)) \rightarrow(\alpha \times \beta)$
Algorithmically more feasible (inference!), and sufficient for many application $(\rightarrow \mathrm{ML})$

[^0]Substitution $X[t / a]$ : instantiate a type variable $\alpha$ in $X$ to $t$

$$
\begin{aligned}
& (\alpha \times \beta \rightarrow \gamma \rightarrow \beta)[\text { nat } / \alpha]=\text { nat } \times \beta \rightarrow \gamma \rightarrow \beta \\
& (\alpha \times \beta \rightarrow \gamma \rightarrow \beta)[\text { nat } / \beta]=\alpha \times \text { nat } \rightarrow \gamma \rightarrow \text { nat } \\
& (\alpha \times \beta \rightarrow \gamma \rightarrow \beta)[(\delta \text { list }) / \gamma]=\alpha \times \beta \rightarrow \delta \text { list } \rightarrow \beta \\
& (\alpha \times \beta \rightarrow \gamma \rightarrow \beta)[(\alpha \text { list }) / \gamma]=\alpha \times \beta \rightarrow \delta \text { list } \rightarrow \beta
\end{aligned}
$$

$\alpha$ is implicitly all-quantified here, too - substitution is "capture-avoiding", like a-renaming of term variables.

Polymorphism - type inference a la Hindley-Milner
ML's type system: types can be ordered by the "is-an-instantiation-of" relationship

(nat list) x nat $\rightarrow$ real $\rightarrow$ nat

Polymorphism - type inference a la Hindley-Milner


Thus: two types are either

- incompatible, eg. int vs real, int vs int list, int vs a list, or
- unifiable: there are are substitutions that make them "equal": int vs int (substitutions: empty, empty) int vs $\alpha$ (substitutions: empty, int / a) int $x \alpha$ list vs $\alpha \times \beta$ (substitutions: empty, [ int / a, a list / $\beta$ ]) If they are unifiable, there is a (unique) most general type.


## Polymorphism - type inference a la Hindley-Milner

Hindley-Milner type inference:

- recursively walk the code structure, as in lecture on type systems, and return most general type scheme
- when necessary (eg for matching type of a function): perform unification - report type error if not-unifiable

Algorithm W (cf function "infer" in slides on Types)
can now include TypeVars
substitution; map type variables to types
fun $\mathbf{W}$ ( $\Sigma$ : context) (e:expr): (Type x Subst) option = ... (*next slide ...)
assumptions; maps term variables to types

Auxiliary function: Unify: (Type x Type) -> Subst option
fun W (之: context) (e:expr): (Type x Subst) option = case e of

```
apply subst T to types in \Sigma
| fa => case W \Sigmaa of
    apply subst T to type U
    Some (T, T) => case W (\SigmaT) f of
        Some (U, \sigma) => case Unify (U\sigma, T -> \beta) of
                        Some \omega => Some ( }\beta\omega\mathrm{ , Tб 的)
                            ... (*all other cases: None*)
| ... (*other cases of e*)

Details:
Damas, Luis; Milner, Robin (1982): Principal type-schemes for functional programs; 9th Symposium on Principles of programming languages (POPL'82). ACM. pp. 207-212.

For full ML, inference is DEXPTIME-complete - but in practice: linear/polytime

\section*{Higher-order functions}

Functional languages: arguments and return values can be functions.
type intfun \(=\) int \(\rightarrow\) int
fun foo () : intfun =

return (fun z => z + 5); is a function
\(\operatorname{varf}=\mathrm{foo}(\) ();
f2;
function parameter
is of functional type fun apply42 (f:inffun): int = return (f 42);
var \(q=\) apply 42 foo

\section*{Higher-order functions}
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fun foo () : intfun = return (fun z => z + 5);
var \(\mathrm{f}=\mathrm{foo}\) ();
f 2;

Q: where is the code for fun \(z=>z+5\) located, i.e. what address should we jump to when calling \(f\) ? ?

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type intfun \(=\) int \(\rightarrow\) int
fun foo () : intfun =
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var \(\mathrm{f}=\mathrm{foo}\) ();
f 2;
A: have compiler generate a fresh name, bar, and emit code for the function fun bar z => z + 5 . Have foo return the address of / label bar.
Then use jump-register instruction (indirect jump) for call.

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Then use jump-register instruction (indirect jump) for call.

Q: where is the code for fun \(z=>z+5\) located, i.e. what address should we jump to when calling \(f\) 2?
fun apply42 (f:intfun): int = return (f 42); var \(q=a p p l y 42\) foo

Call to apply42 can pass address of foo as argument. Use jump-register for call \(f 42\).

\section*{But what about this?}
fun add (n:int) : intfun =
let fun \(h(m: i n t)=n+m\)
in \(h\) end
fun twice (f: intfun): intfun =
let fun \(g(x\) :int \()=f(f x)\)
in \(g\) end
var addFive: inffun = add 5
var addTen : intfun = twice addFive

At runtime, calls add 5, add 42 should yield functions that behave like
\[
\begin{gathered}
\mathrm{h}_{5}(\mathrm{~m}: \mathrm{int})=5+\mathrm{m} \\
\mathrm{~h}_{42}(\mathrm{~m}: \mathrm{int})=42+\mathrm{m} .
\end{gathered}
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fun add (n:int) : intfun = let fun \(h(m: i n t)=n+m\) in \(h\) end
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Each \(h_{i}\) outlives the stackframe of its static host, add, where \(h_{i}\) would usually look up \(n\) following the static link, -- but add's frame is deallocated upon exit from add.

Similarly, twice addFive should yield \(g_{\text {addFive }}\) (x:int) \(=\) addFive (addFive \(x\) ) but \(g_{f}\) needs to lookup \(f\) in stackframe of twice.

Combination of higher-order functions and nested function definitions conflicts with stack discipline of frame stack and with holding arguments and local variables in the stack frame.

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fun twice (f: intfun): intfun = let fung (f:intfun) (x:int) \(=f(f x)\) in \(g f\) end
var addFive: intfun = add 5
var addTen : intfun = twice addFive parameter lifting
\[
\begin{aligned}
& \text { type intfun = int } \rightarrow \text { int } \\
& \text { fun } h \text { (n:int) (m:int) }=n+m \\
& \text { fun add (n:int) : intfun = h n } \\
& \text { fun } g \text { (f:intfun) (x:int) = f(f x) } \\
& \text { fun twice (f: intfun): intfun = g f } \\
& \text { var addFive: intfun = add } 5 \\
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parameter lifting + block raising \(=\lambda\)-lifting

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& \text { fun } g \text { (f:intfun) (x:int) = f(f x) } \\
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Need to pair up code pointers with data for host-function's variables / parameters, ie construct representations of \(\boldsymbol{h} \mathbf{n}\) (like h \(5, \mathrm{~h} 42\) ) and of \(\mathbf{g} \mathbf{f}\) (like g addFive). These structures need to be allocated on the heap.

\section*{Closures}
"code+data" pairs: representation of functions that have been provided with some of their arguments.
- "code": label/address of code to jump to
- "data": several representations possible
a) pointer to allocation record of host function's invocation: "static link"
- host function must still be heap-allocated to prevent stale pointers
- caller of closure creates activation record based on data held in closure, deposits additional arguments at known offsets and jumps to the code pointer provided in closure
- garbage collector can collect allocation records


Activation records held in heap, linked by stätic links

\section*{Closures}
b) pointer to a record (environment) in heap that holds the host function's escaping variables (ie exactly the variables the inner function might need)
- host function can be allocated on stack, receive its arguments as before, and hold non-escaping variables, spills, etc in stack frame
- New "local variable" EP points to environment
- host frame deallocated upon exit from host-function, but environment of escaping variables not deallocated (maybe later GC'ed)
- closure's data part points to environment


Allocation records for invocations to \(\mathrm{h}_{5}\) are held on frame stack, and have pointer to the closure.

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Pitfall: need to prevent h from modifying n , so that repeated invocations \(\mathrm{h}_{5}(33), \mathrm{h}_{5}(22)\) don't interfere \(\boldsymbol{\rightarrow}\) no assignments to variables etc

\section*{(Class-based) Object-oriented languages}

Classes: enriched notion of types with support for
- record type containing first-order ("fields") and functional ("methods") components
- extension/inheritance/subclass mechanism
- allows addition of data (fields) and functionality (methods)
- allows modification of behavior: overriding of methods (often, types of parameters and result cannot be modified)
- transitive ( \(\rightarrow\) class hierarchy), with top element OBJECT etc
- self/this: name to refer to data component in methods; can often be considered an (implicit) additional method parameter
- initialization/creation method for class instances ("objects")
- limiting visibility/inheritance of fields/methods: private/public/final

Objects: runtime structures arising from instantiating classes
- record on heap containing values for all fields
- invocation of methods: dispatch based on dynamic class, with pointer to data field passed as argument of "self/this"

\section*{Object-oriented languages: type checking}
class \(B\) : extends \(A\) \{
A super; // often implicit
int \(\mathrm{f1}\); // maybe with explicit explicit initialization
B b; // fields may be (pointers to) objects of class we're defining
C c; // fields may be (pointers to) object of other classes, too
int foo (A a, D d) \{...\}
Tasks: - maintain class table (maps class names to classes/types, cf context)
- maintain inheritance relationship (check absence of cycles)
- check type constraints regarding overriding method definitions
- checking of method bodies:
add entry for self to local typing context
- check adherence to private/public/final declarations

Class can refer to each other in cyclic fashion; split analysis into phases

\section*{Object representation (single inheritance)}

Single inheritance: each class extends at most one other class.
(typically: classes other than OBJECT extend exactly one class)
class A extends Object \(\{\) int a \}
class \(B\) extends \(A\{\) int \(b ;\) int \(c\}\)
class \(C\) extends \(A\) int \(d\}\)
class \(D\) extends \(B\{\) int e \(\}\)


\section*{Static versus dynamic class of object}

Typically, can assign an object of class C to a variable/field declared to be of type \(A\), where \(A\) is a superclass of \(C\).
class A extends Object \{ int a \}
class B extends A int b ; int c \}

\begin{tabular}{|c|}
\hline\(C\) \\
\hline\(a=4\) \\
\hline\(d=8\) \\
\hline
\end{tabular}
class \(D\) extends \(B\{\) int e \}
var a_object : A := new C
method \(m(x: A): T=\{\ldots\}\) in class \(X\) : body of \(m\) well-typed w.r.t. \(x\) :A, so can only access x.a. Passing a larger C object is not harmful: additional fields ignored.
\(\operatorname{method} \mathrm{k}(\ldots): \mathrm{A}=\{\ldots\}\) in class Y :
\(k\) may return an object of any subclass of \(A-\) eg body of k can be new C - but client only knows that the returned object has a field a.

\section*{Method selection typically based on dynamic class}
class A extends Object \{ int a;
\[
\operatorname{int} f()=\text { return }(a+2)\}
\]
class C extends A \{int d; int \(f()=\) return \(d / / o v e r r i d e s ~ A . f()\}\)

int \(m(x: A)\) \{
return \(x . f() / / /\) code generation: jump to A.f?
\}
var c_obj := new C();
print m(c_obj); // should invoke C.f, not A.f()
How to achieve this:

\section*{subclass of its static class}
- object contains reference to its "dynamic class"
- requires class/class names to be represented at runtime
- organize method dispatch table similar to fields (next slide)

\section*{Method dispatch based on dynamic class}
    class \(A\) extends \(\operatorname{Object}\{\operatorname{int} a ; \operatorname{int} f()=\operatorname{return}(a+2)\}\) class \(B\) extends \(A\{\) int \(b\); int \(c\);
Ag()\(=\ldots / /\) additional method \} class C extends \(A\{\) int \(\dot{4}\);
int \(f=\) return d/loverridss A.f() \(\}\) int \(m(x: A)\) \{
return \(x . f() / /\) code generation: jurip to A.f? \}

Code for flocated at same offset, in all subclasses of \(A\)

Now, the implementation of \(m\) follows it's A-argument's link to the method table, then knows where to find \(f\).

\section*{Final exam}

\section*{Saturday, May \(14^{\text {th }}\), Friend 004, 7:30pm - 10:30pm}

\section*{Don't blame me.....}

\section*{Closed book, laptop, iphone!}

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\section*{Cheat sheet: one A4 paper, double-sided.}

Exam is cumulative: covers the entire semester
- lecture material incl today
- MCIML: except for last chapter and overly TIGER specific implementation details
- HW 1 - HW 9, incl. basic ML programming```


[^0]:    * formal distinction between types and type schemes...

