

0. **Miscellaneous.**

Don't forget to write your name, NetID, precept, and exam room.

1. **Java basics.**

<i>Java expression</i>	<i>value</i>
<code>x</code>	1
<code>1.0 * x + y / z</code>	1.0
<code>((x &gt; y)    (y &gt; z)) &amp;&amp; (z &gt; x)</code>	false
<code>Math.min(Math.max(x, y), y*y % z)</code>	1
<code>Math.sqrt(x - y - z)</code>	NaN or Double.NaN
<code>Double.parseDouble(x + "2" + y)</code>	122.0

2. **Properties of arrays and functions.**

- (a) T T F F F
- (b) T T F F T

3. **Debugging and arrays.**

D F G A C

#### 4. Functions.

(a) **CKDKEK**

*The letters C, D, and E can be permuted in any order. EKGKHK is an alternative solution, but poorer style.*

```
public static boolean oddParity(boolean x, boolean y, boolean z) {
    int count = 0;
    if (x) count++;
    if (y) count++;
    if (z) count++;
    return (count % 2) != 0;
}
```

(b) **GEHFE**

*GEHFJ, GIHFE, GIHFJ are alternative solutions, but poorer style.*

```
public static boolean oddParity(boolean x, boolean y, boolean z) {
    if (x && y) return z;
    else if (x || y) return !z;
    else return z;
}
```

*This part is trickier than it might appear. It is tempting to start with IAGB, but then you quickly get stuck.*

#### 5. Recursion.

(a)

n	0	1	2	3
f(n)	"0"	"1"	"1201"	"1201311201"

(b) **T T T**

- Let  $L_n$  be the length of the return value of  $f(n)$ . Then,  $L_n = L_{n-1} + 1 + L_{n-2} + L_{n-1}$ , with  $L_0 = L_1 = 1$ . From above,  $L_2 = 4$  and  $L_3 = 10$ . Thus,  $L_4 = 10 + 1 + 4 + 10 = 25$  and  $L_5 = 25 + 1 + 10 + 25 = 61$ .
- Exchanging statements 2 and 3 can have an effect only when  $n$  is 1. When  $n$  is 1, the modified function still returns "1"—it just performs the unnecessary work of calling  $f(0)$  before doing so.
- The function  $f()$  has no side effects (such as printing to standard output). Thus `first = f(n-1)` and `third = f(n-1)` will always be equal, and the return value in the original function (`first + n + second + third`) will always equal the return value in the modified function (`first + n + second + first`).

## 6. Powers of 2.

DBFDCNEE

## 7. TOY.

The TOY program computes the smallest power of 2 that is strictly greater than a given integer.

```
10: 8A00   R[A] <- M[00]           load a from M[00]
11: 7101   R[1] <- 1              power = 1
12: 221A   R[2] <- R[1] - R[A]   while (power <= a)
13: D216   if (R[2] > 0) PC <- 16 {
14: 1111   R[1] <- R[1] + R[1]   power = 2*power
15: C012   goto 12              }
16: 9101   M[01] <- R[1]       store power to M[01]
17: 0000   halt
```

(a) 0002

(b) 0008

(c) 0010

*Remember that everything is in hex:  $10_{16} = 16_{10}$ .*

(d) 2000

*You will get this part only by reasoning about what the TOY program does (or wasting an extraordinary amount of time tracing code).*

(e) 0001

*FACE is a negative integer (two's complement representation). Thus, the loop is skipped and R[1] remains 0001.*