

Image Data Similarity Search

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Obligatory “Moore's Law” Slide:

Magnetic storage capacity has been increasing at a rate *faster* than Moore's Law (about 2x per year)

The increasing availability (and decreasing cost) of storage has allowed for a huge amount of rich media (images, sound, video) to be archived

Efficient access to this data will become an increasingly difficult problem as archives grow in size

Image Data Similarity Search

Example:

Suppose you have a 1 Terra-byte disk (approximately 2 years in the future). This disk could hold approximately 80,000 4MP images (uncompressed). A human-powered linear scan through this archive (4 images per second) would require ~ 6 hours

Image Data Similarity Search

Conclusion:

Use computers to solve the problem!

Image Data Similarity Search

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Use computers to solve the problem!

...easier said than done.

Image Data Similarity Search

Goal:

Given a target image (query), find all images in the database that are “similar” to the query.

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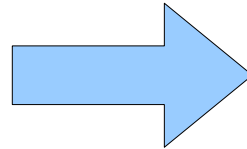


Image Data Similarity Search

Annotation:

For each image, manually associate keywords that describe the image

Use traditional text-based retrieval mechanisms to search for similarity



("tree")

Image Data Similarity Search

Annotation:

Text-based retrieval has received a large amount of research and innovation in precision, recall, and efficiency.



("tree")

Image Data Similarity Search

Annotation:



("tree")

Image Data Similarity Search

Annotation:



("tree")

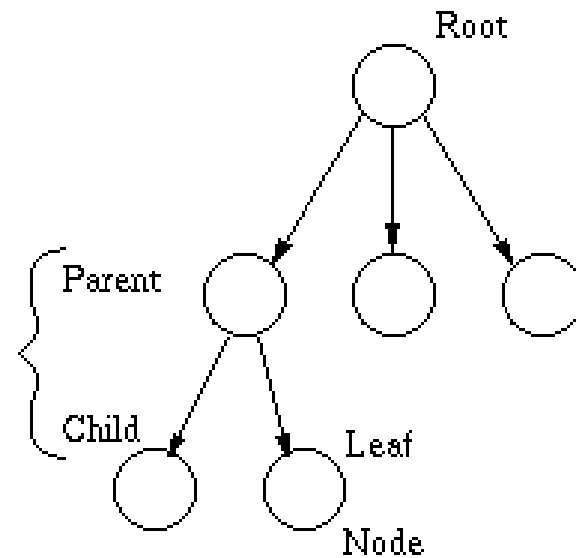
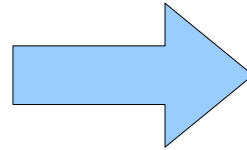


Figure: Tree data structure

("tree")

Image Data Similarity Search

Annotation:

Labels of images will always be both imprecise and subjective, due to the differences in perception between various users

Additionally, annotating a large amount of images requires many hours of tedious labor. With large image sets, this may even be a near-intractable task.

Image Data Similarity Search

Content-based:

Index images based upon their data

Automated

Objective

Useful?

Image Data Similarity Search

Sensory Gap:

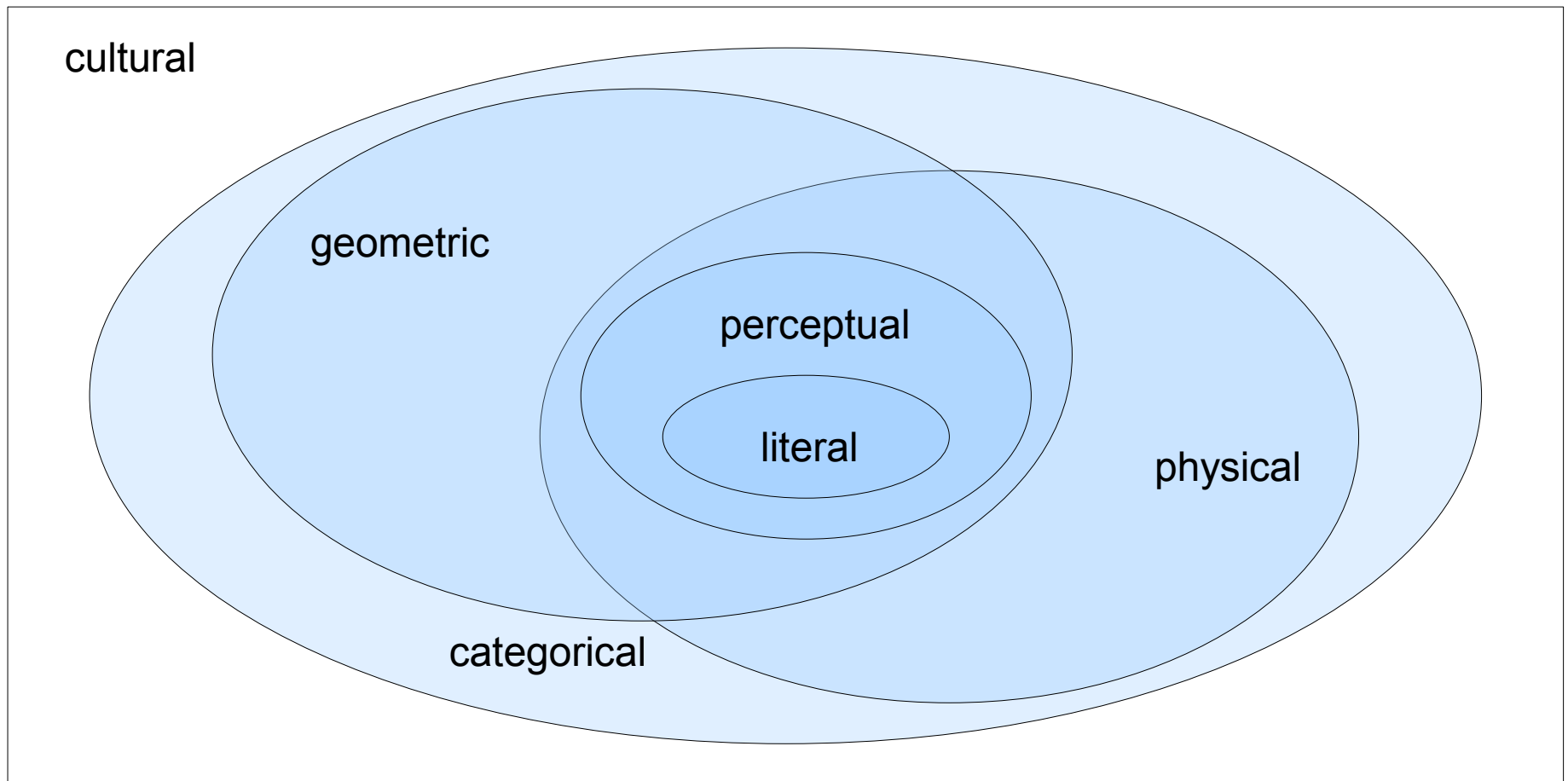
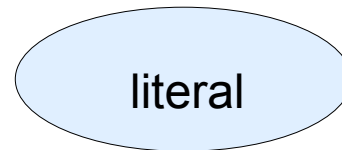


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Sensory Gap:



literal

Image Data Similarity Search

Sensory Gap:

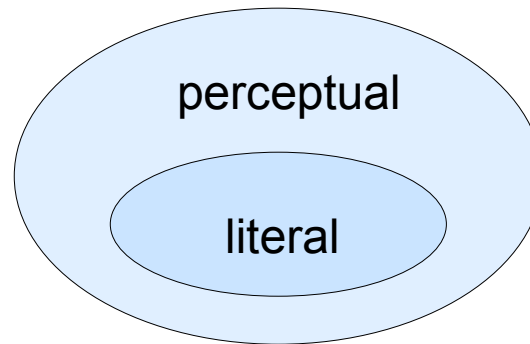


Image Data Similarity Search

Sensory Gap:

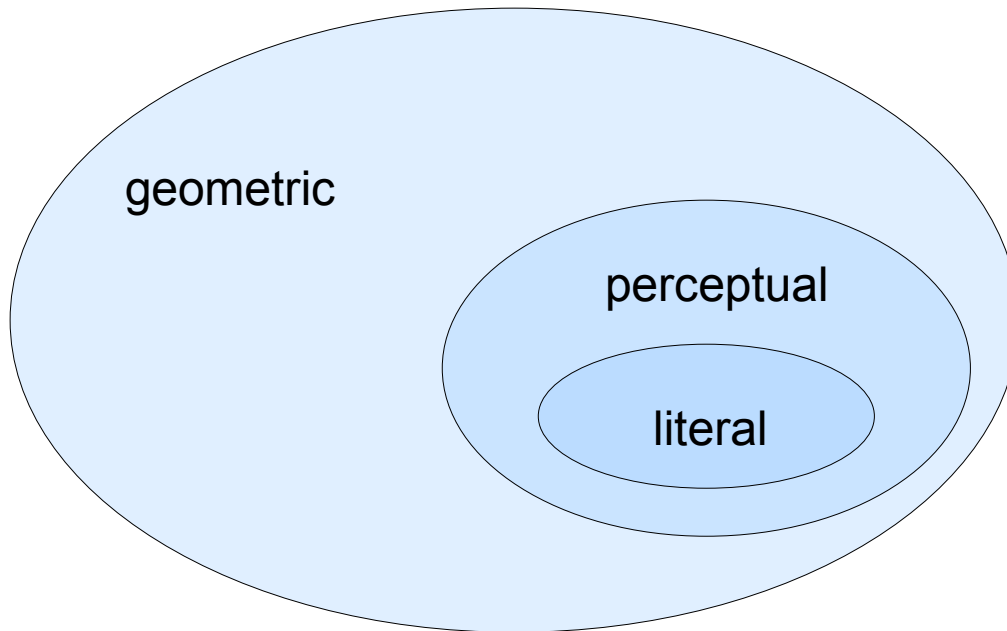


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Sensory Gap:

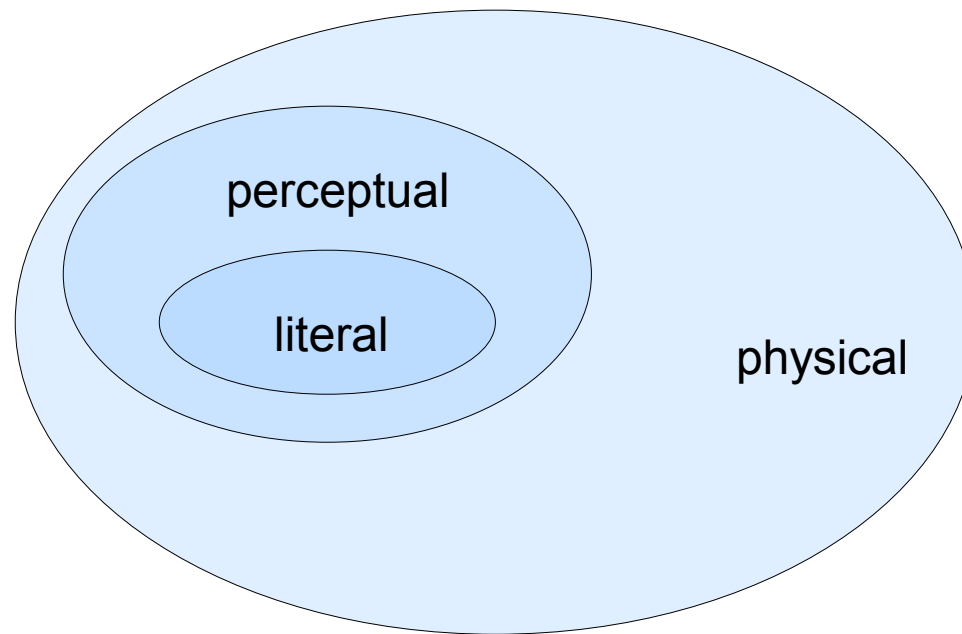


Image Data Similarity Search

Sensory Gap:

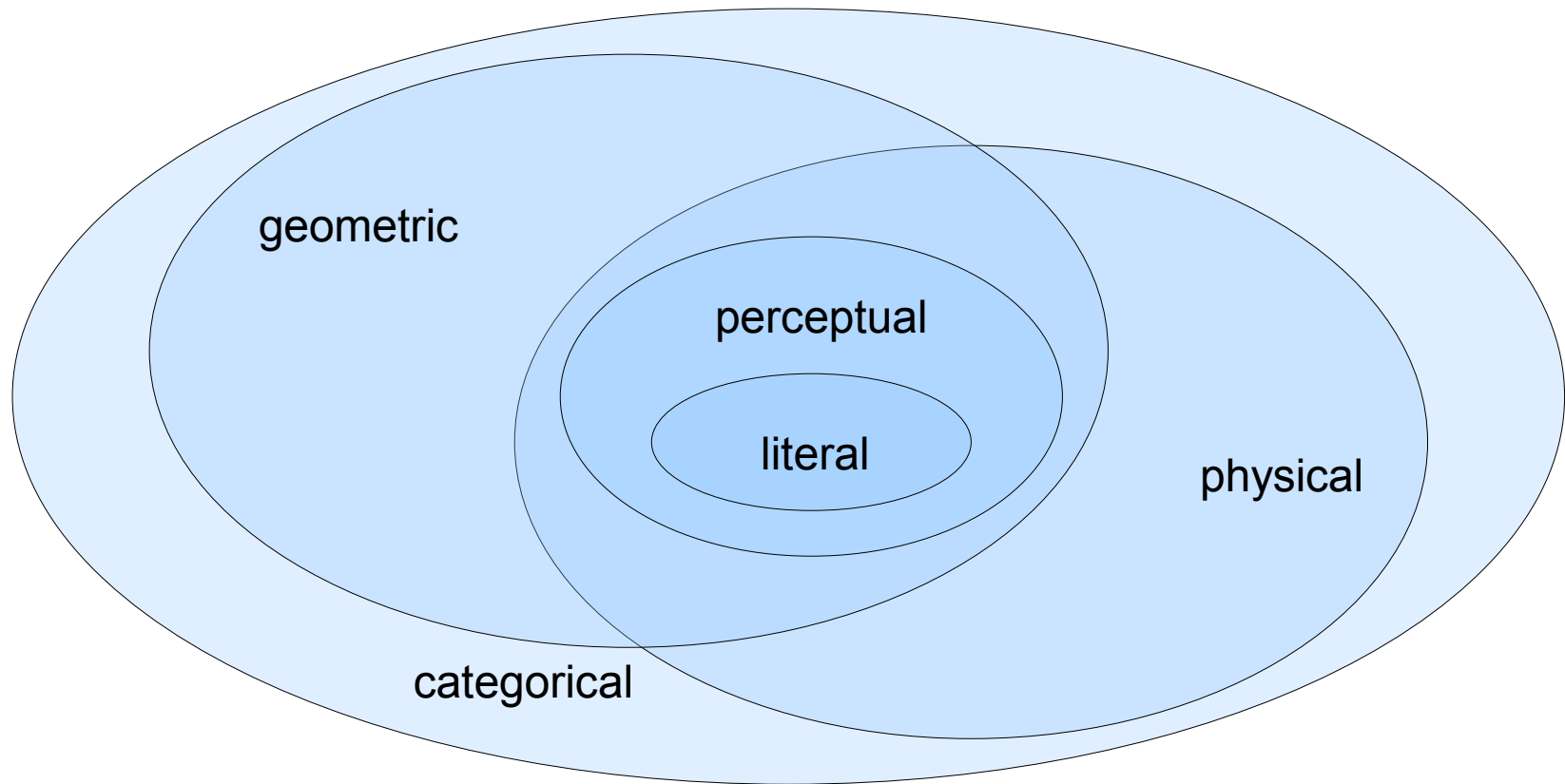


Image Data Similarity Search

Sensory Gap:

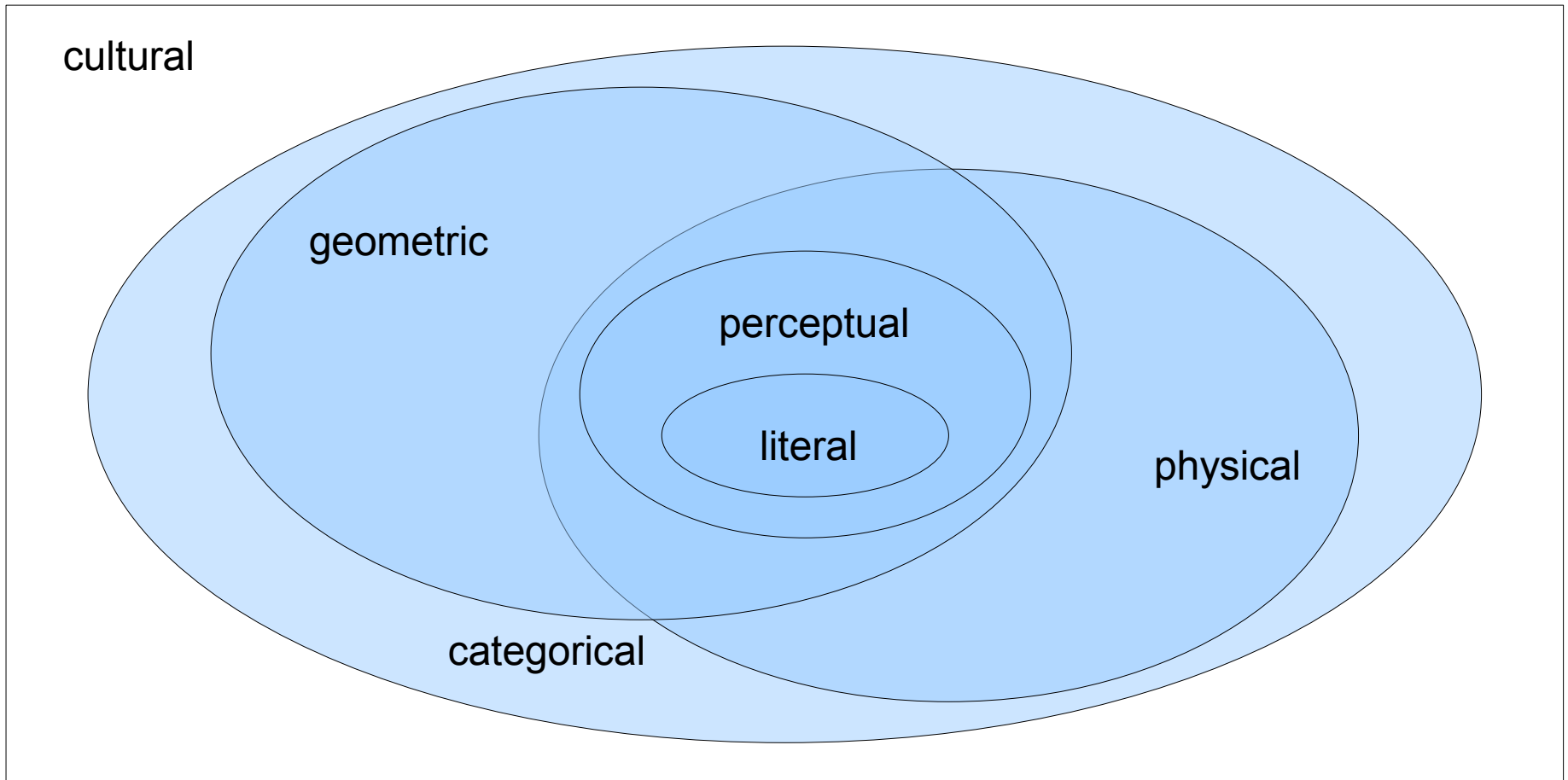


Image Data Similarity Search

Color:

Tristimulus Theory of color perception gives a natural representation for color:

$$C_x = (R_x, G_x, B_x)$$

This representation is derived from the fact that the human eye has cells receptive to specific wavelengths:

580 nm (red)

545 nm (green)

440 nm (blue)

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Color:

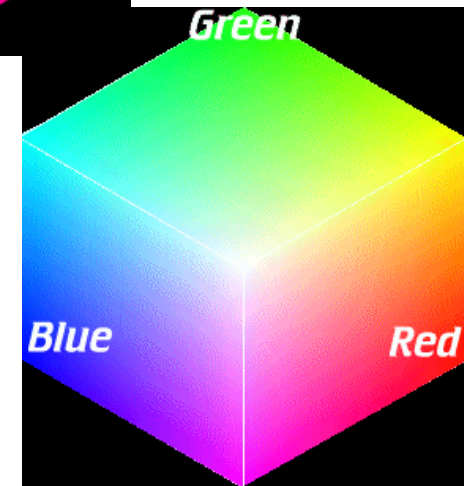
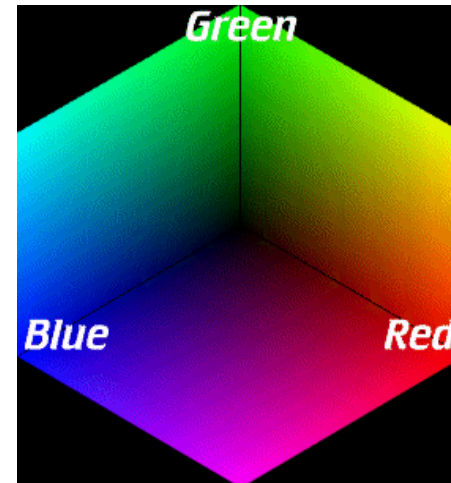
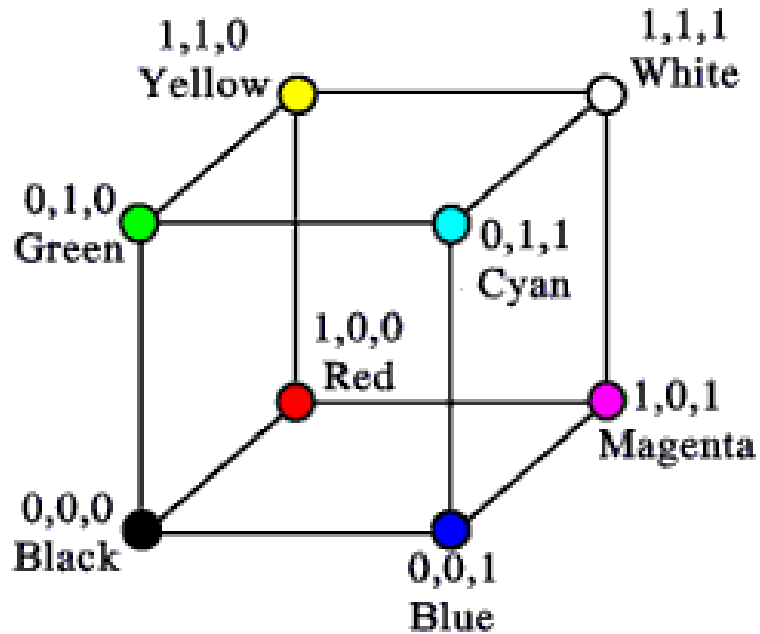


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Color:

However, RGB color description is far from ideal:

RGB distances between colors is not perceptually uniform metric

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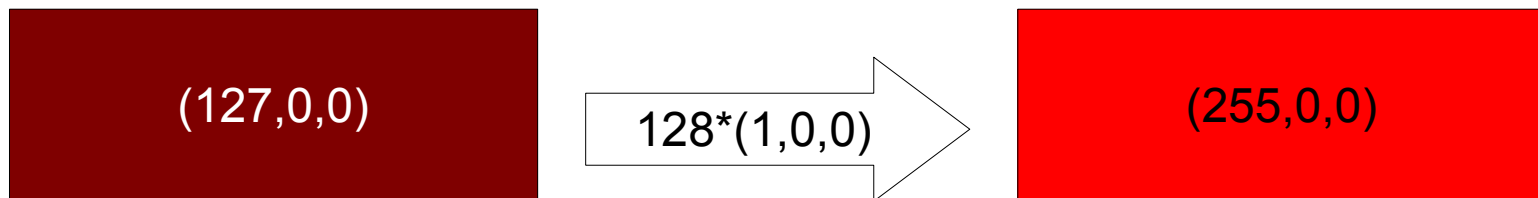


Image Data Similarity Search

Color:

However, RGB color description is far from ideal:

RGB distances between colors is not perceptually uniform metric

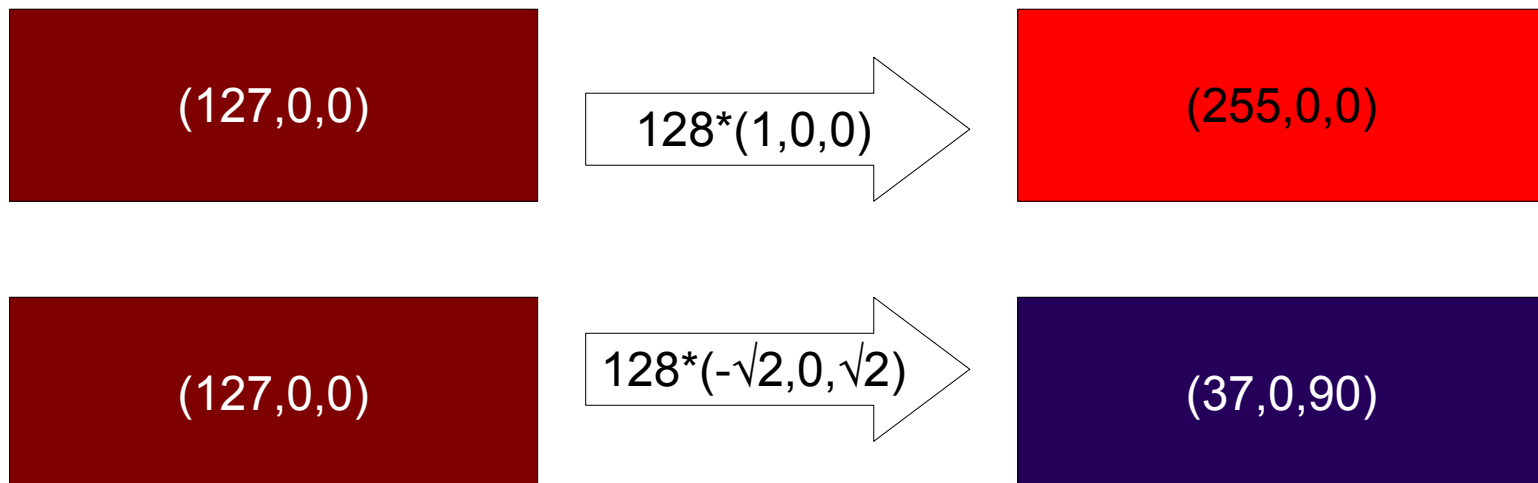


Image Data Similarity Search

Color:

However, RGB color description is far from ideal:

RGB distances between colors is not perceptually uniform metric

RGB is heavily dependent upon lighting and viewing conditions

Image Data Similarity Search

Color:

CIE L*a*b: Luminance, Green-Red, Blue-Yellow

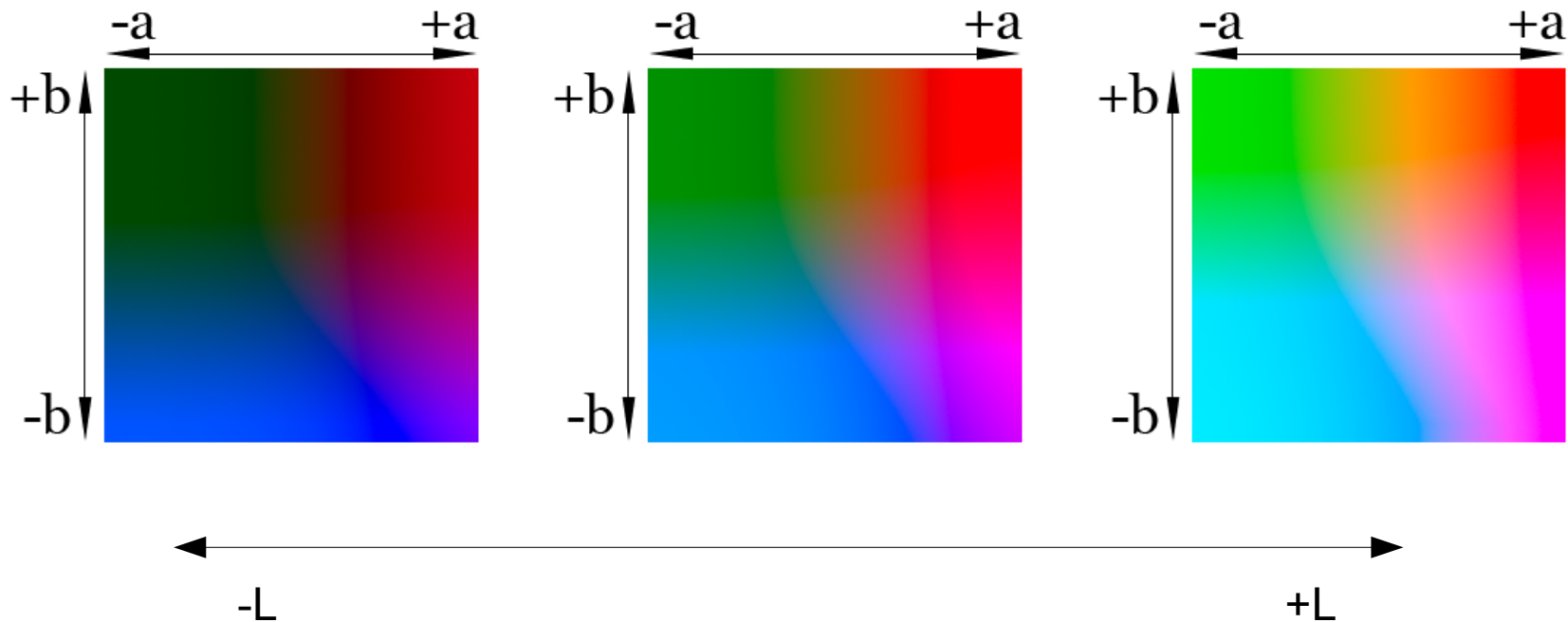


Image Data Similarity Search

Color:

CIE L*a*b: Luminance, Green-Red, Blue-Yellow

Perceptually uniform (distances in L*a*b are linear with perceived difference in color)

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Color:

HSV: Hue, Saturation, Value

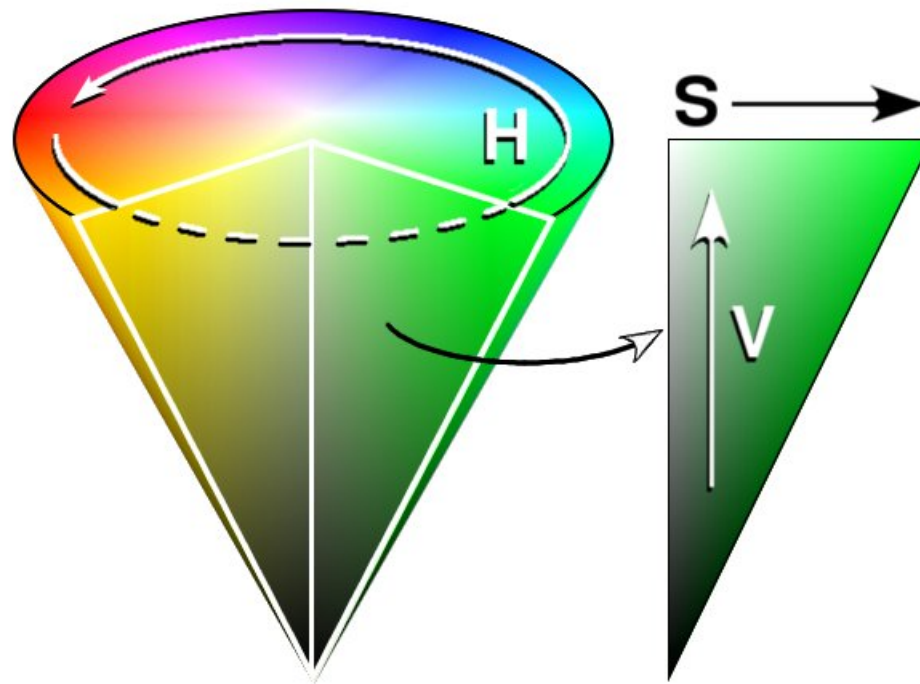


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Color:

HSV: Hue, Saturation, Value

The axes of HSV map to a more natural set of parameters

Hue is invariant relative to object orientation (for most objects)

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Color Histograms:

Histograms express the distribution of color over a collection of pixels (image or region)

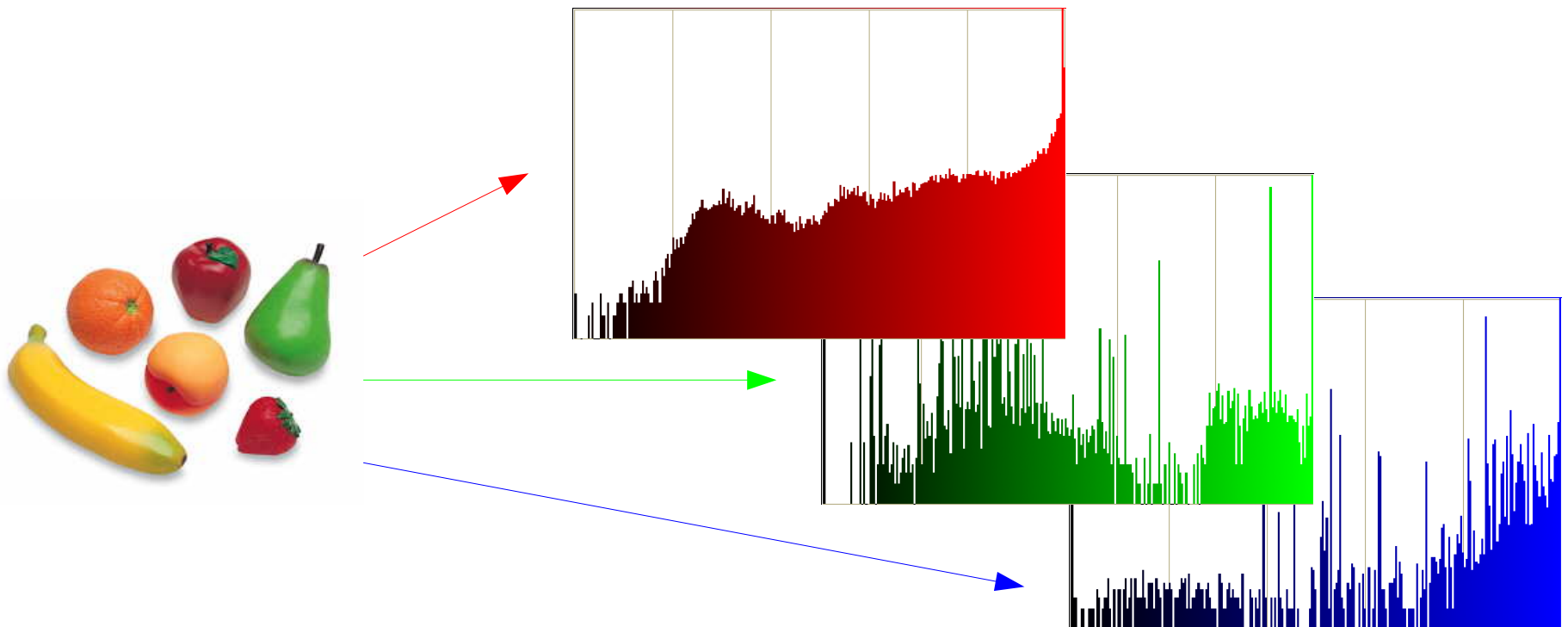


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Color Histograms:

Histograms express the distribution of color over a collection of pixels (image or region)

Histograms from different sources can be compared for similarity using the L_2 difference of each channel

However, quantization error can cause histograms of similar images to have a larger L_2 distance than is perceptually meaningful.

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Color Moments:

The histogram can be described by statistical “moments”, where the n^{th} moment is expressed as

$$\mu_n(a) = \langle (x - a)^n \rangle$$

$$\mu_n(a) = \frac{1}{N} \sum_i (x_i - a)^n$$

Image Data Similarity Search

Color Moments:

The histogram can be described by statistical “moments”, where the n^{th} moment is expressed as

$$\mu_n(a) = \langle (x - a)^n \rangle$$

$$\mu_n(a) = \frac{1}{N} \sum_i (x_i - a)^n$$

$$\mu_1(0) = \mu_1' := \textit{mean}$$

$$\mu_2(\mu_1') := \textit{variance}$$

$$\mu_3(\mu_1') := \textit{skew}$$

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Color Moments:

Compact representation of histograms (3 numbers per color channel)

More robust against quantization error

Simple dissimilarity metric:

$$D(h_a, h_b) = w_1 |\mu_{1a}' - \mu_{1b}'| + w_2 |\mu_{2a} - \mu_{2b}| + w_3 |\mu_{3a} - \mu_{3b}|$$

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Texture:

“Visual patterns that have properties of homogeneity that do not result from the presence of only a single color or intensity” (Rui, Huang, Chang 1999)

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Texture:



Image Data Similarity Search

Texture:

Psychologically meaningful parameters:

- Coarseness
- Contrast
- Directionality
- Line-like
- Regularity
- Roughness

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Texture:

Texture can also be analyzed with wavelets

Similar textures possess similarities in the wavelet subbands

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Segmentation:

For a given object, it is assumed that color and texture properties will conform to a certain degree of homogeneity

Using this assumption, the image can be divided into a set of homogeneous regions such that each region corresponds to a single object

A single object may correspond to several regions

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Segmentation:

- 1) partition has to cover the whole image
- 2) each region has to be homogeneous
- 3) two adjacent region cannot be merged into a single homogeneous region

(Lucchese, Mitra 2001)

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Segmentation:



Image Data Similarity Search

Segmentation:



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Segmentation:

Techniques employ:

Clustering pixels (K-means, etc)

Region Growing

Edge Detection

Varying degrees of success

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Shape:

Rotation invariant ?

Translation invariant ?

Scaling invariant ?

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Fourier Descriptors:

Express the shape as a
parametric curve

$$(x(l), y(l)) = Z(l), 0 \leq l \leq L$$

Denote the angular direction at
point l be $\theta(l)$

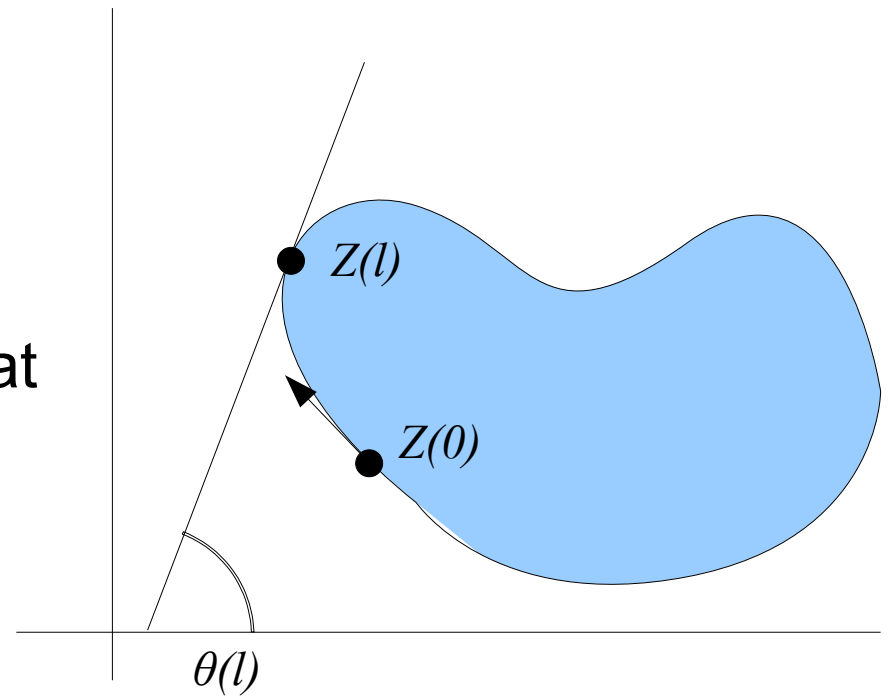


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Fourier Descriptors:

Let $\phi(l)$ be the net angular difference between $\theta(l)$ and $\theta(0)$

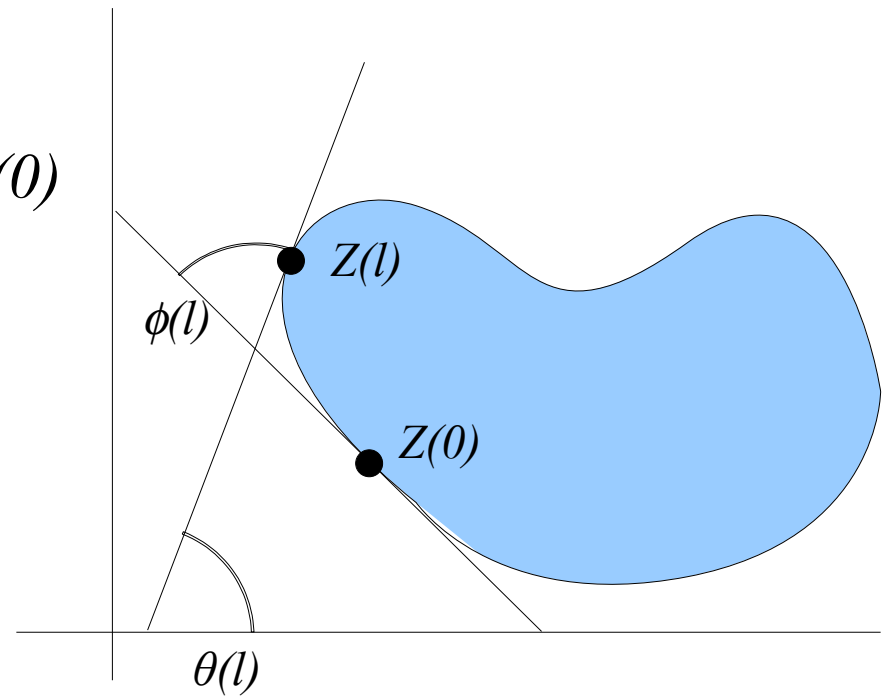


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Fourier Descriptors:

$$\phi^*(t) = \phi\left(\frac{Lt}{2\pi}\right) + t, 0 \leq t \leq 2\pi$$

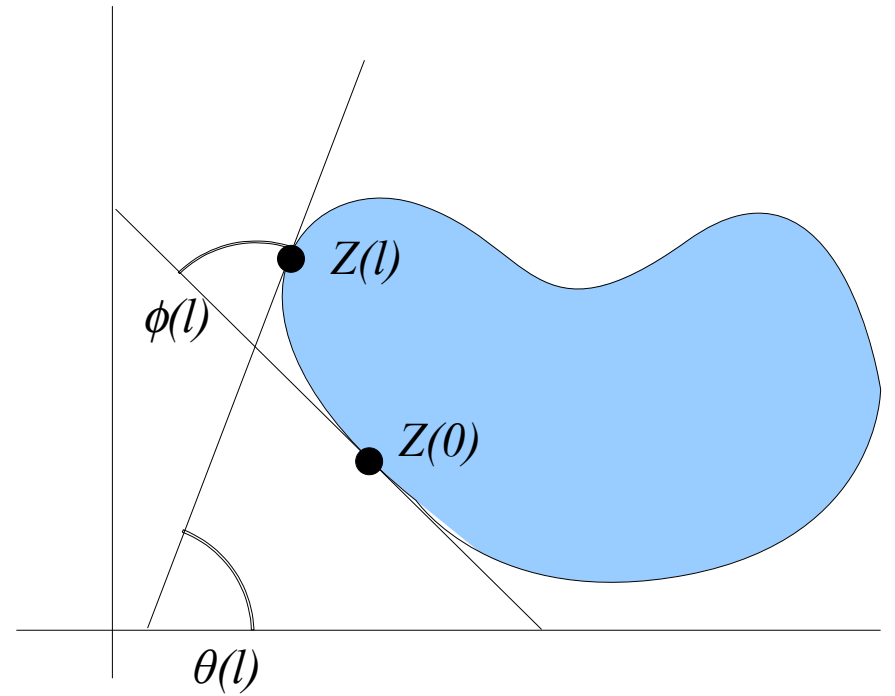


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Fourier Descriptors:

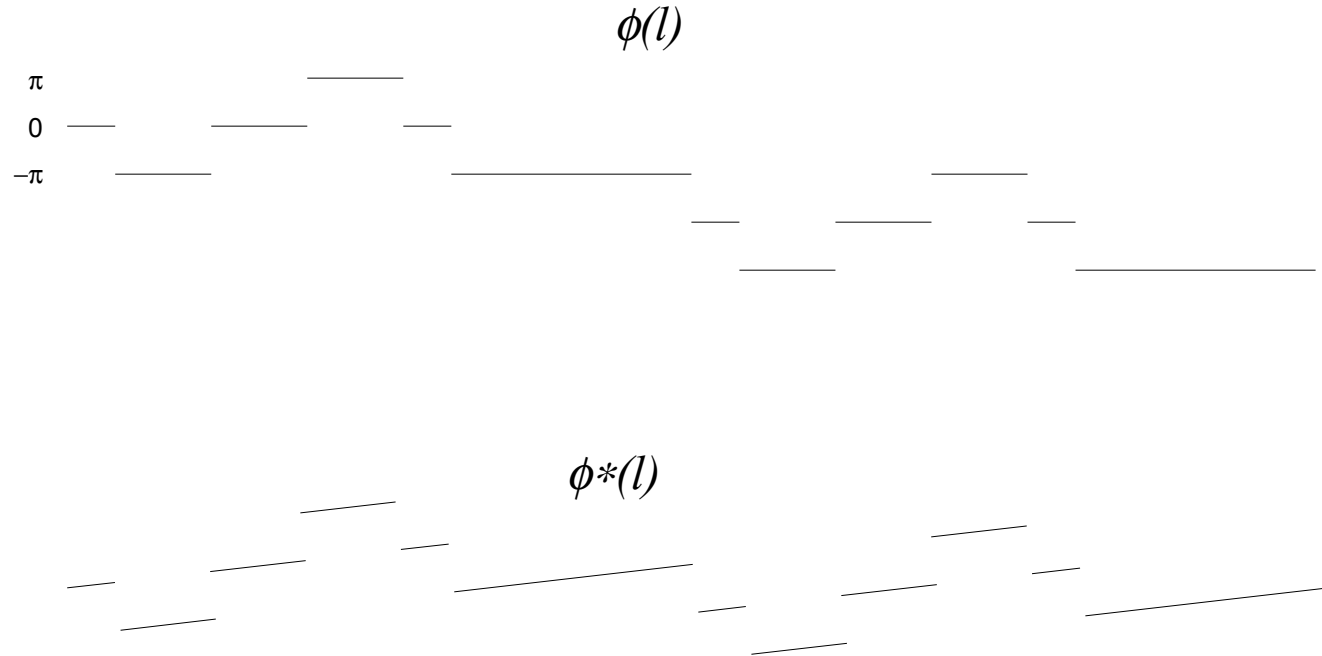
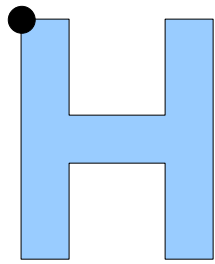


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Fourier Descriptors:

$$\phi^*(t) = \mu_0 + \sum_{k=1}^{\infty} A_k \cos(kt - a_k)$$

Image Data Similarity Search

Fourier Descriptors:

Compact representation for shape

Rotation can be factored out (phase angles)

Scale can be factored out (L)

Translation is not included in this representation

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Implementation:

Image Data Similarity Search

Implementation:

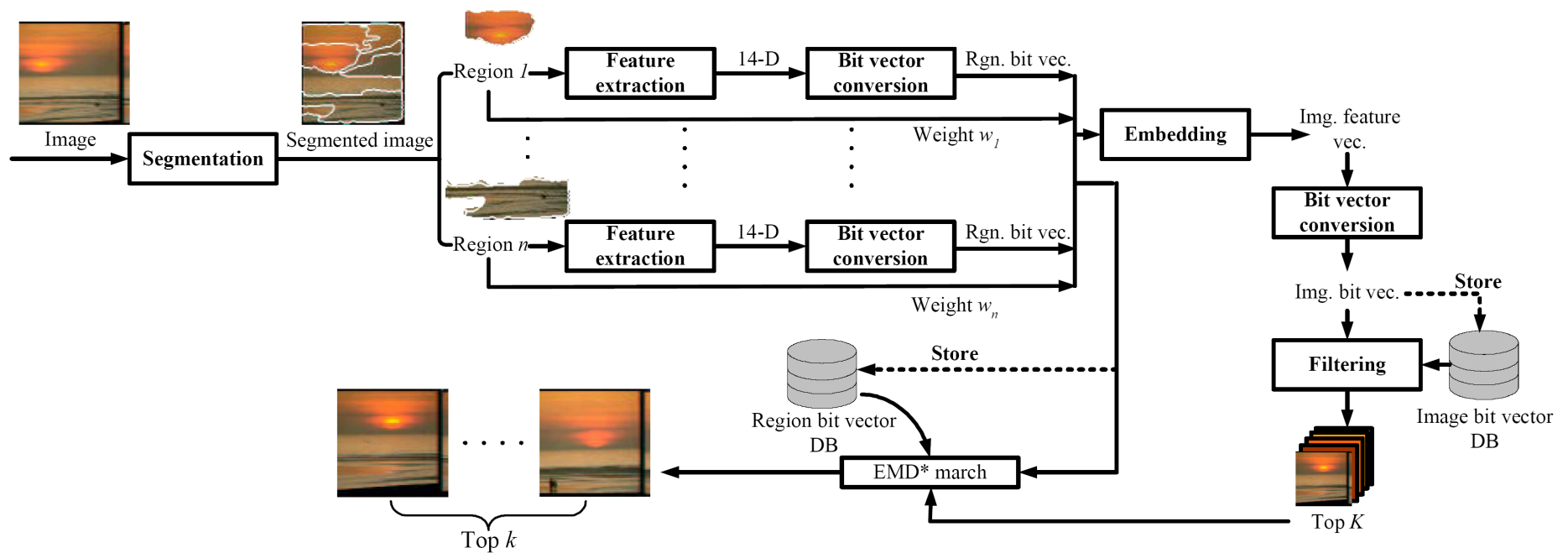
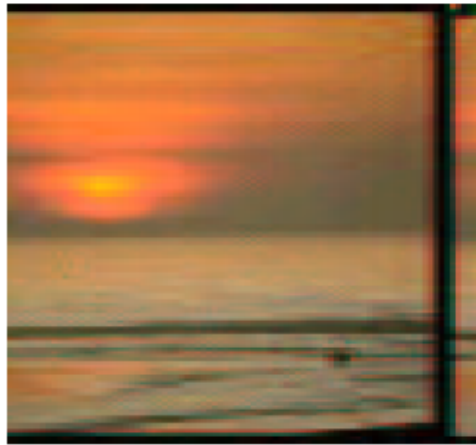


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Segmentation:



Image



Segmented image



Image Data Similarity Search

Feature Extraction:

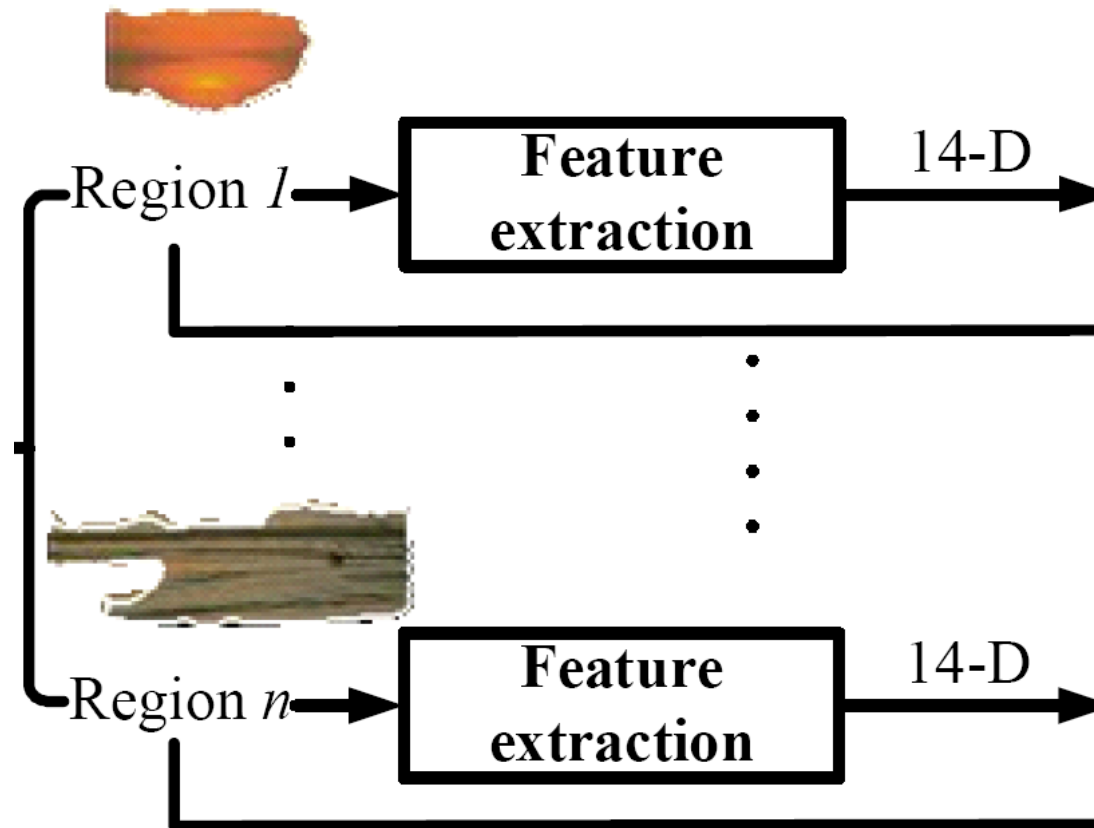


Image Data Similarity Search

Feature Extraction:

For each region in the image, calculate:

3 Color Moments for each channel (H, S, V)

Mean

Variance

Skew

Image Data Similarity Search

Feature Extraction:

For each region in the image, calculate:

3 Color Moments for each channel (H, S, V)

Geometric information

width

height

pixels

aspect ratio

centroid (c_X, c_Y)

Image Data Similarity Search

Feature Extraction:

For each region in the image, calculate:

3 Color Moments for each channel (H, S, V)

Geometric information

log(aspect ratio)

log(width*height)

pixels / (width*height)

c_X

c_Y

Image Data Similarity Search

Feature Extraction:

For each region in the image, calculate:

3 Color Moments for each channel (H, S, V)

Geometric information

...14-dimensional vector for each region

Image Data Similarity Search

Bit Vector Conversion:

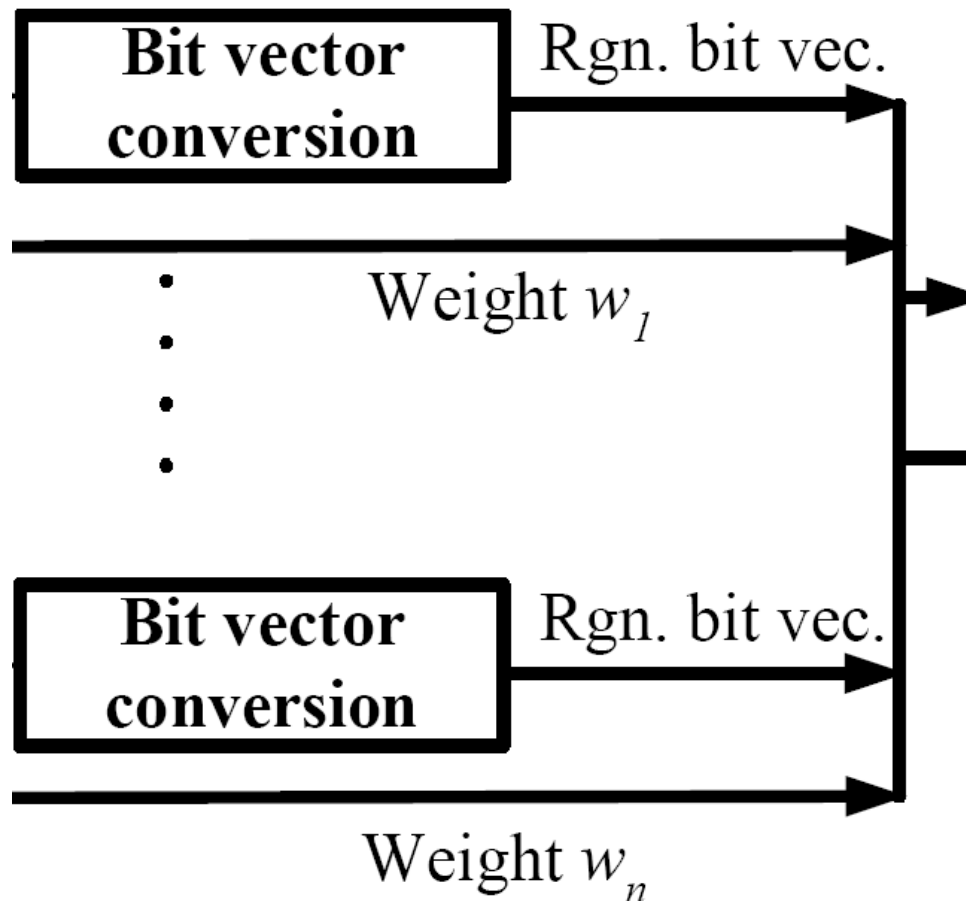


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Bit Vector Conversion:

Use the 14-dimensional, real-valued vector to create a N-bit vector

Hamming distance of bit vector approximates L_1 distance between real-valued vectors

Significant savings in storage space as well as computation speed

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Bit Vector Conversion:

Let the i^{th} dimension be in the range $[l_i, h_i]$ and have weight w_i

$$T = \sum_i w_i \times (h_i - l_i)$$
$$p_i = \frac{w_i \times (h_i - l_i)}{T}$$

Pick $i : [0, d-1]$ with probability p_i

Pick $t : [l_i, h_i]$

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Bit Vector Conversion:

Pick $i : [0, d-1]$ with probability p_i

Pick $t : [l_i, h_i]$

$$bit = \begin{cases} v_i < t, 0 \\ v_i \geq t, 1 \end{cases}$$

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Bit Vector Conversion:

Lemma 1: $\|u - v\|_{L_1} = x \Rightarrow Pr(bit(u) \neq bit(v)) = x/T$

Proof: $Pr(bit(u) \neq bit(v) | C_i) = \|u_i - v_i\|_{L_1} / r_i$

$$Pr(bit(u) \neq bit(v)) = \sum_{i=0}^{d-1} Pr(bit(u) \neq bit(v) | C_i) \times Pr(C_i)$$

$$Pr(bit(u) \neq bit(v)) = \sum_{i=0}^{d-1} \frac{\|u_i - v_i\|_{L_1}}{r_i} \times \frac{w_i \times r_i}{T}$$

$$Pr(bit(u) \neq bit(v)) = \sum_{i=0}^{d-1} w_i \times \|u_i - v_i\|_{L_1} / T$$

$$Pr(bit(u) \neq bit(v)) = x/T$$

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Bit Vector Conversion:

XOR groups of K bits to produce a single bit

101010	→	1
100100	→	0
111010	→	0
100101	→	1

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Bit Vector Conversion:

Lemma 2: $\|u - v\|_{L_{1w}} = x \Rightarrow Pr(h_K(u) \neq h_K(v)) = 0.5 \left(1 - (1 - 2x/T)^K\right) = q$

Proof:

$$q = \sum_{\text{odd } j} \binom{K}{j} p^j (1-p)^{K-j}$$

$$q = \frac{1}{2} \sum_j \binom{K}{j} p^j (1-p)^{K-j} - \frac{1}{2} \sum_j (-1)^j \binom{K}{j} p^j (1-p)^{K-j}$$

$$q = \frac{1}{2} \left(1 - (1 - 2p)^K\right) = 0.5 \left(1 - (1 - 2x/T)^K\right)$$

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Embedding:

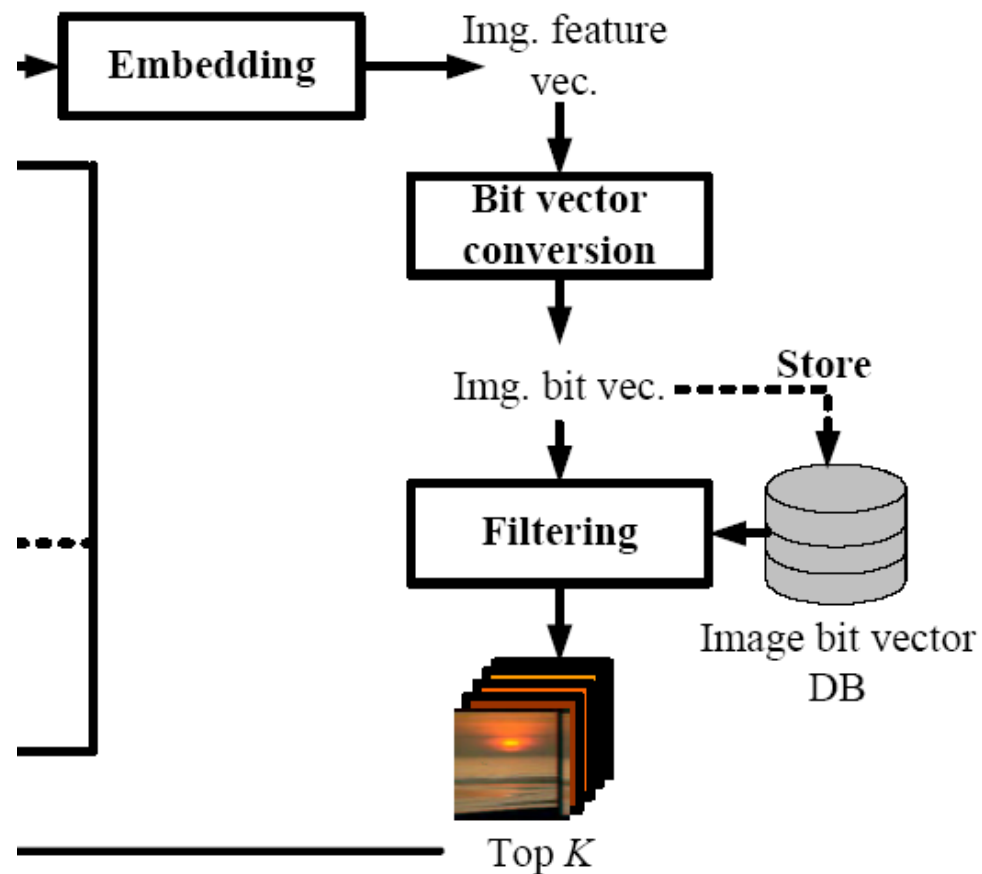


Image Data Similarity Search

Embedding:

Even further!

In large databases, it would be beneficial to filter images during the search so comparisons are not performed on images that are very dissimilar

A fast, compact representation for *images* that approximates EMD

Image Data Similarity Search

Embedding:

An image is a set of regions (bit vectors)

	<u>1</u>	<u>2</u>	<u>3</u>	<u>4</u>	<u>5</u>	<u>6</u>	<u>7</u>	<u>8</u>	<u>w_i</u>
r_1	1	0	0	1	1	0	1	0	0.1
r_2	0	0	1	1	0	1	1	0	0.6
r_3	0	1	0	0	1	0	1	1	0.3

Image Data Similarity Search

Embedding:

Select a random set of positions $\{p_1, \dots, p_n\}$ as well as a random set of bits $\{b_1, \dots, b_n\}$. Together these form pattern $P = \{(p_1, b_1), \dots, (p_n, b_n)\}$

A given region r matches pattern P if

$$r_{p_j} = b_j \quad \text{for } j = 1, 2, \dots, n$$

with r_{p_j} signifying the p_j^{th} bit in the bit vector representing r

Image Data Similarity Search

Embedding:

For each region in an image, determine if the region matches P

If so, add the region's weight to the matched weight for the image

Image Data Similarity Search

Embedding:

Let $P = \{(3, 0), (5, 1), (7, 1)\}$

	<u>1</u>	<u>2</u>	<u>3</u>	<u>4</u>	<u>5</u>	<u>6</u>	<u>7</u>	<u>8</u>	<u>w_i</u>
r_1	1	0	0	1	1	0	1	0	0.1
r_2	0	0	1	1	0	1	1	0	0.6
r_3	0	1	0	0	1	0	1	1	0.3
$MW(p)$									0.4

Image Data Similarity Search

Embedding:

Repeat this process with several distinct patterns $\{P_1, P_2, \dots, P_m\}$. If the regions in two images are highly similar, the two images will tend to receive the same $MW(P_i)$ for various P .

Any images with very different MW vectors are likely dissimilar and can be filtered out before the EMD* matching.