

COS402- Artificial Intelligence

Fall 2015

Lecture 3: Heuristic search

Outline

- **Best First Search ($f(n)$: evaluation function)**
 - Choose a node n with minimum $f(n)$ from frontier
- **Greedy Best-First Search**
 - $f(n) = h(n)$
 - $h(n)$: An estimate of cost from n to goal
- **A* Search**
 - $f(n) = g(n) + h(n)$
 - $g(n)$: cost from initial state to n

BFS, DFS and Uniform-cost Search

- **Breadth First Search**
 - $f(n) = \text{depth of node } n$
- **Depth First Search**
 - $f(n) = -(\text{depth of node } n)$
- **Uniform-cost Search**
 - $f(n) = g(n)$
 - $g(n)$: cost from initial state to n

A* and Heuristics

- **Heuristics**
 - **Admissible vs consistent**
- **Optimality of A***
 - **If $h(n)$ is admissible, A* using tree search is optimal**
 - **If $h(n)$ is consistent, A* using graph search is optimal**
- **Constructing heuristics**
 - **Relaxed versions of the original problem**
 - **Combine multiple heuristics**

Review questions: true or false

- 1. The f values are non-decreasing along any path for A^* using graph search with consistent heuristic.**
- 2. The f values are non-decreasing along any path for A^* using tree search with admissible heuristic.**
- 3. A^* using graph search with consistent heuristic expands nodes from lowest f -value to highest f -value.**
- 4. A^* using tree search with admissible heuristic expands nodes from lowest f -value to highest f -value.**

Review questions: true or false (cont'd)

5. If a heuristic is consistent, then it is admissible.
6. If a heuristic is admissible, then it is consistent.
7. If $h_2(n) \geq h_1(n)$ for any node n , then A* search with h_2 searches fewer nodes than or as same number of nodes as A* search with h_1 .
8. $h(n) = \max\{h_1(n), h_2(n), \dots, h_m(n)\}$. If h_1, h_2, \dots, h_m are admissible, then h is admissible.