

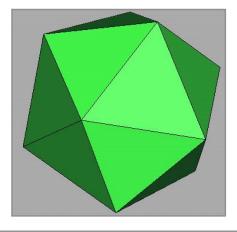
3D Polygon Rendering Pipeline

Thomas Funkhouser Princeton University C0S 426, Fall 2000

3D Polygon Rendering



Many applications use rendering of 3D polygons with direct illumination



3D Polygon Rendering



Many applications use rendering of 3D polygons with direct illumination



Quake II

3D Polygon Rendering



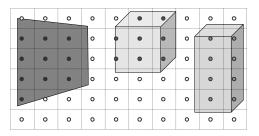
Many applications use rendering of 3D polygons with direct illumination



Ray Casting Revisited



- For each sample ...
 - Construct ray from eye position through view plane
 - Find first surface intersected by ray through pixel
 - Compute color of sample based on surface radiance

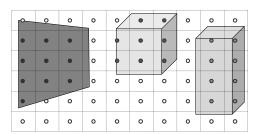


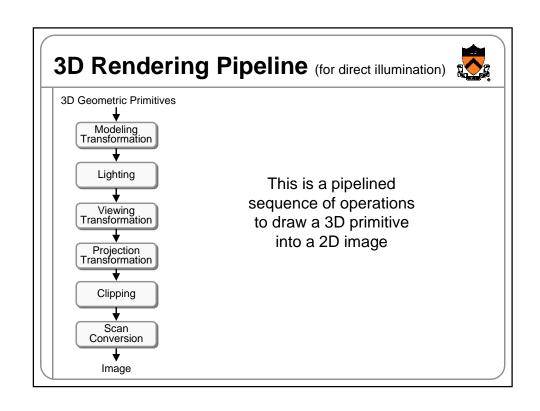
More efficient algorithms utilize spatial coherence!

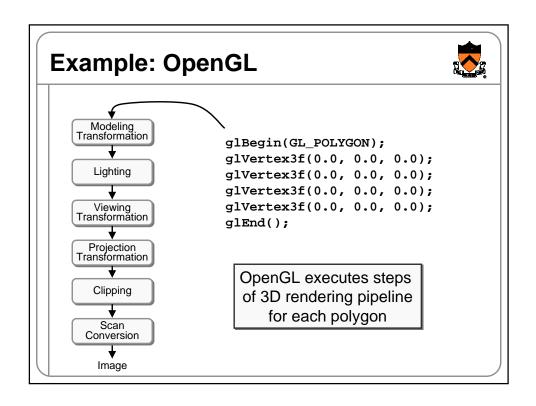
3D Polygon Rendering

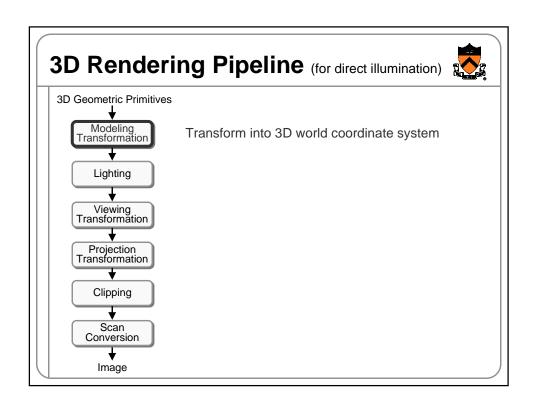


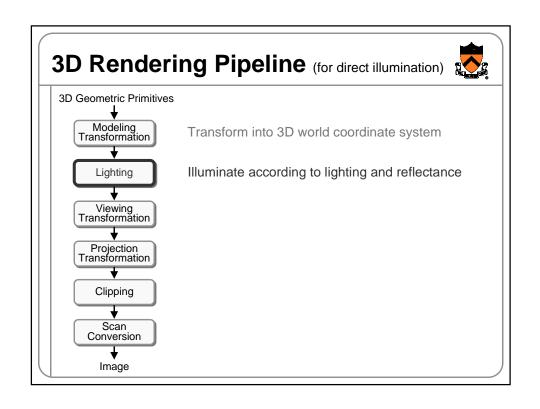
 What steps are necessary to utilize spatial coherence while drawing these polygons into a 2D image?

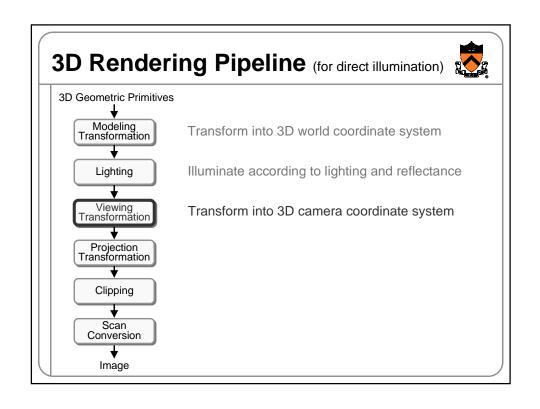


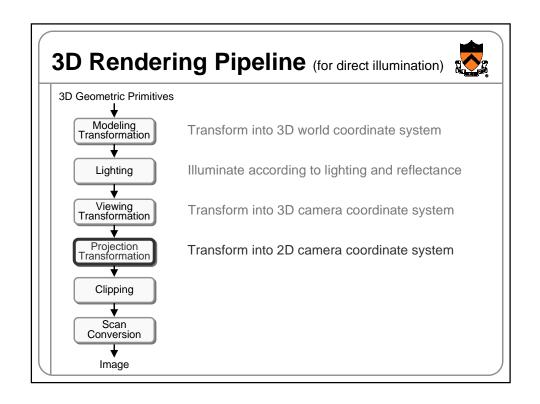


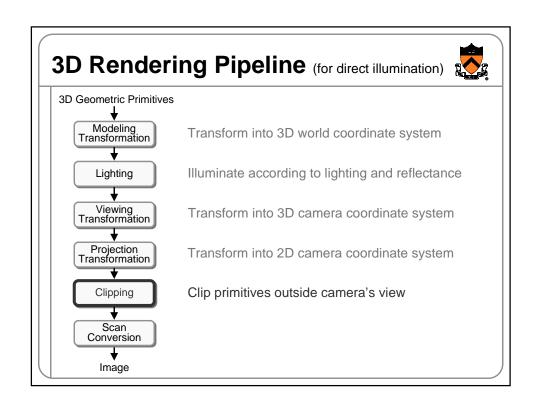


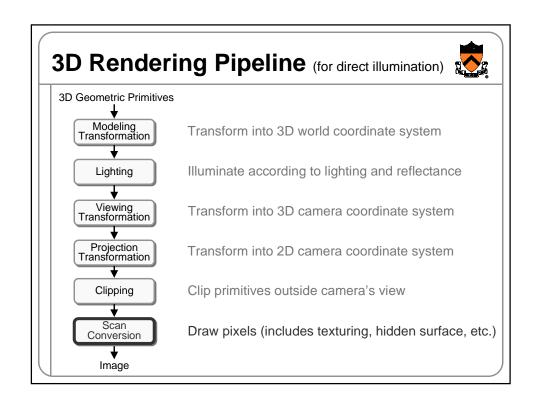


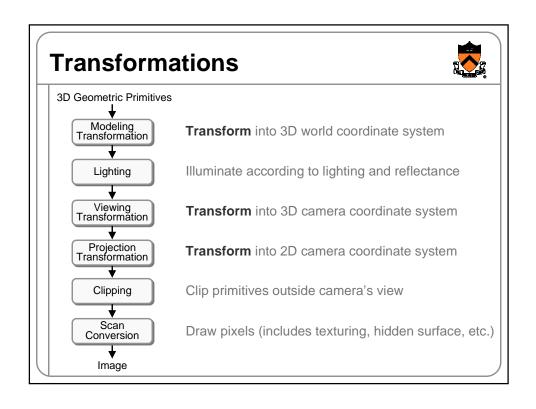


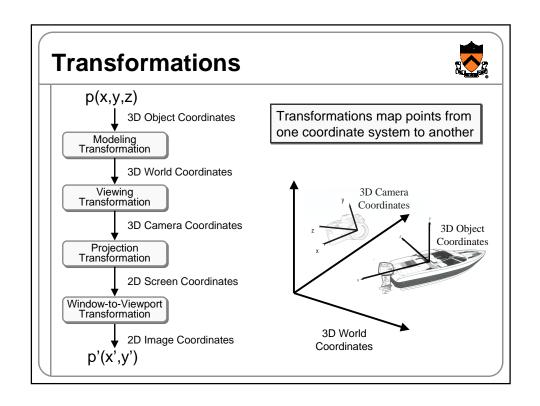


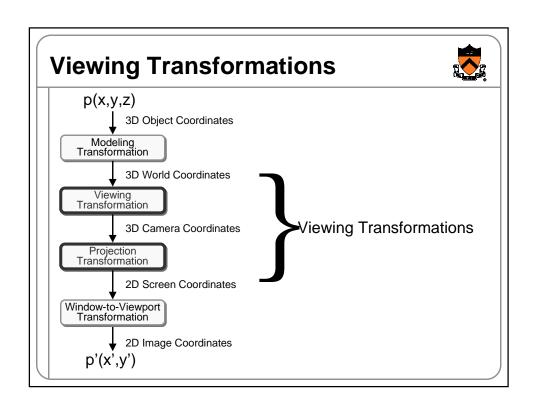


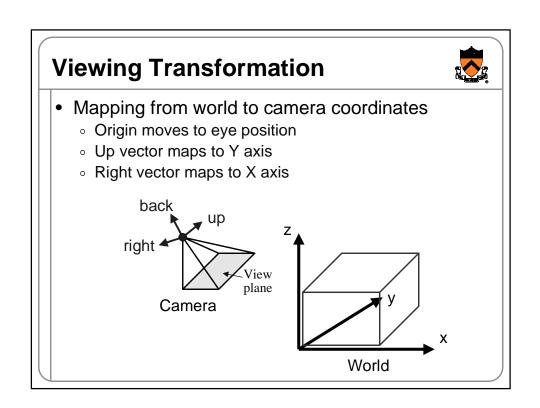


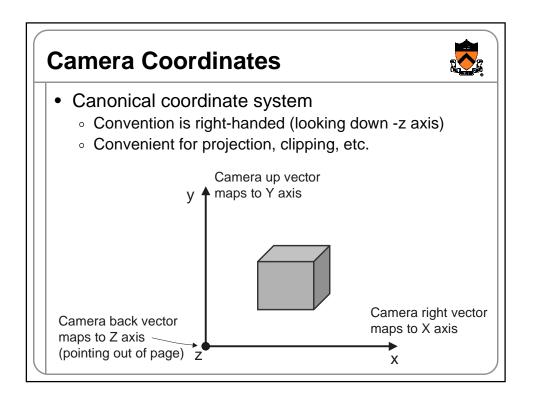


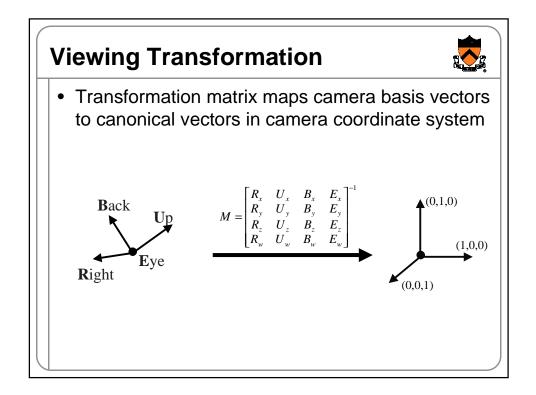


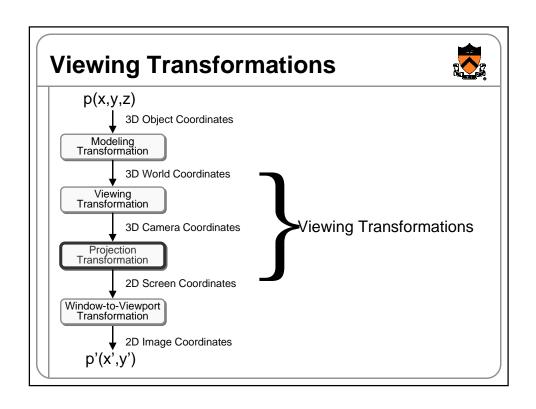


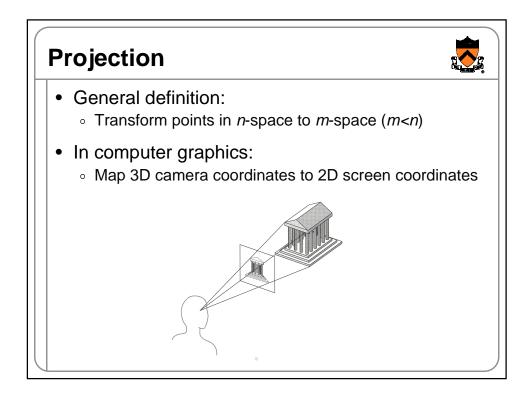


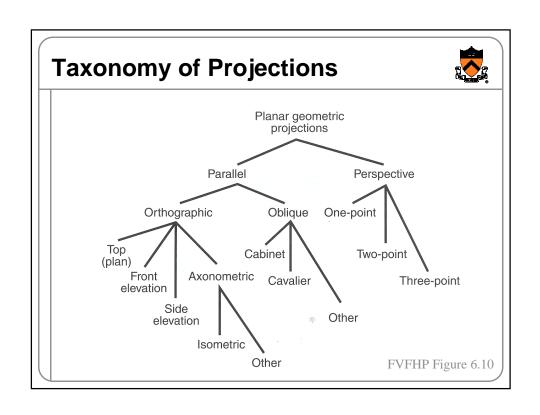


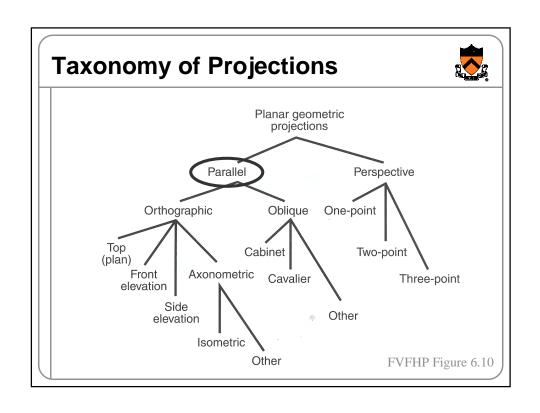


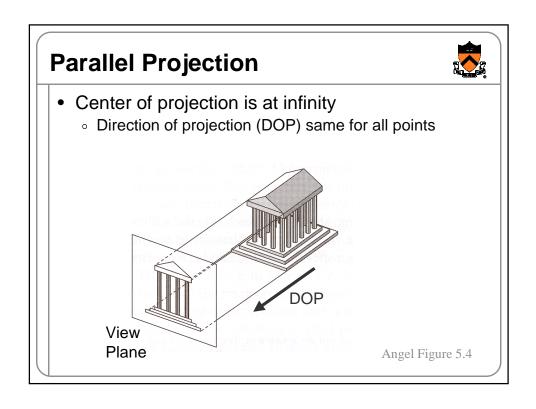


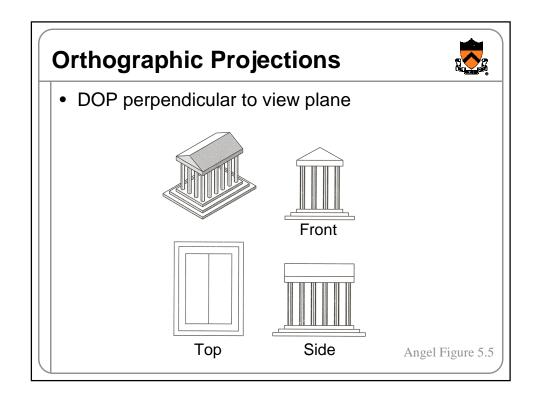


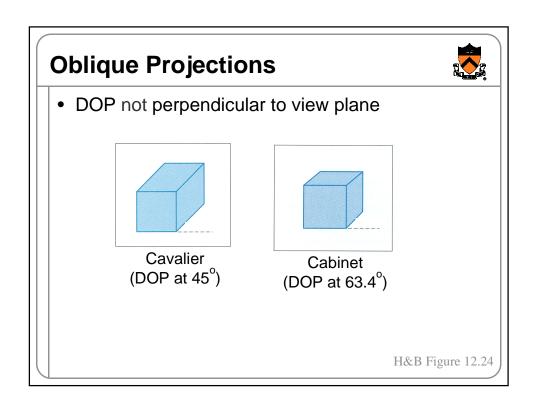


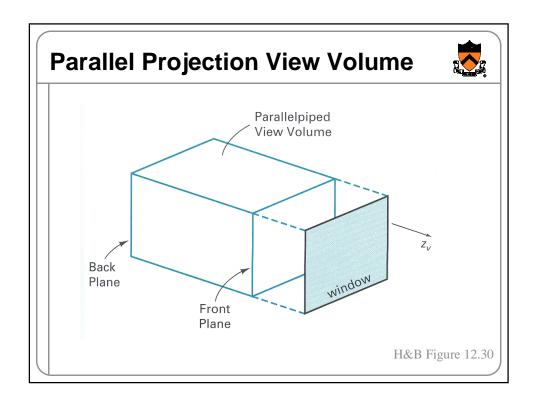


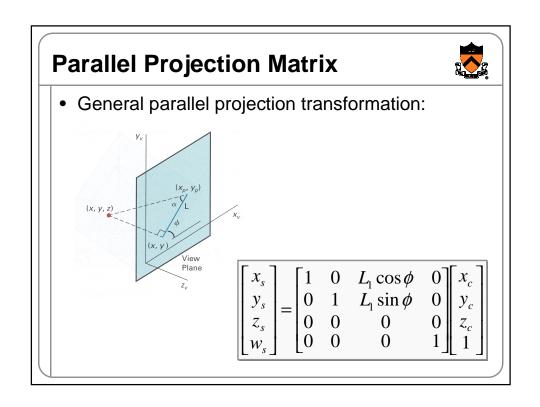


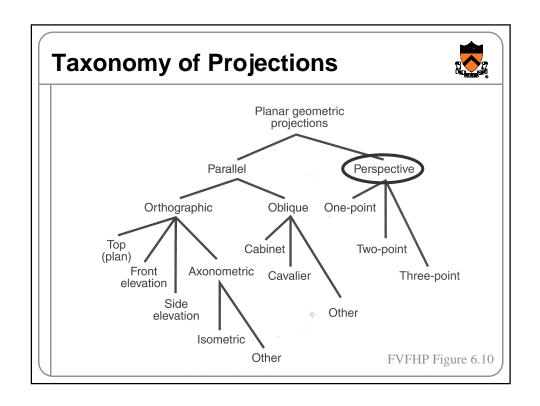


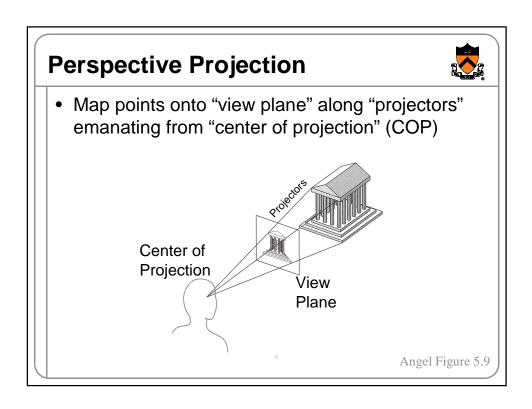


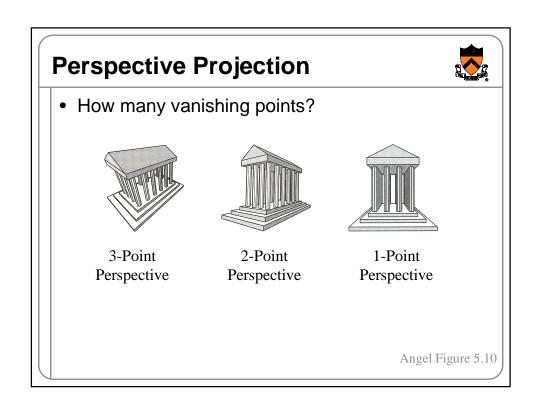


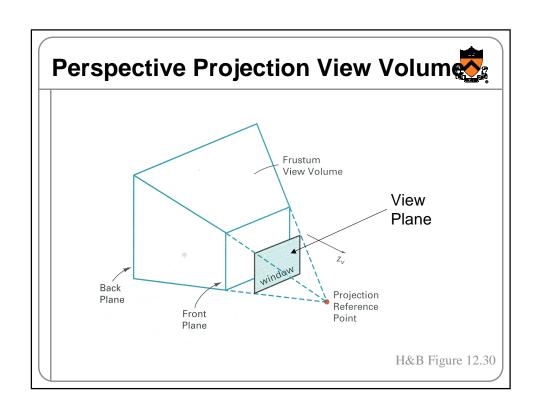


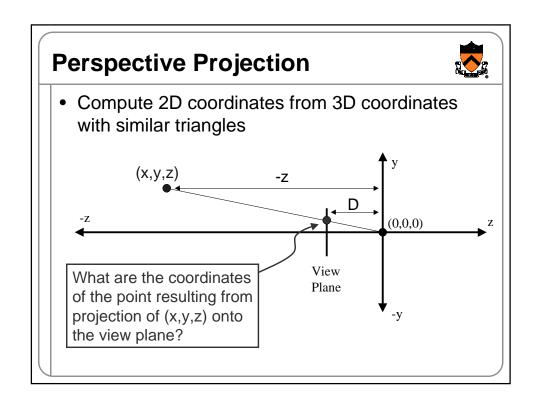








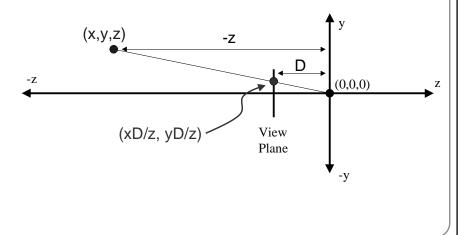




Perspective Projection



• Compute 2D coordinates from 3D coordinates with similar triangles



Perspective Projection Matrix



• 4x4 matrix representation?

$$x_s = x_c D / z_c$$

$$y_s = y_c D / z_c$$

$$z_s = D$$

$$w_s = 1$$

Perspective Projection Matrix



• 4x4 matrix representation?

$$x_s = x_c D / z_c$$

$$y_s = y_c D / z_c$$

$$z_s = D$$

$$w_s = 1$$

$$x' = x_c$$

$$y' = y_c$$

$$z' = z_c$$

$$w' = z_c / D$$

Perspective Projection Matrix



• 4x4 matrix representation?

$$x_s = x_c D / z_c$$

$$y_s = y_c D / z_c$$

$$z_s = D$$

$$w_s = 1$$

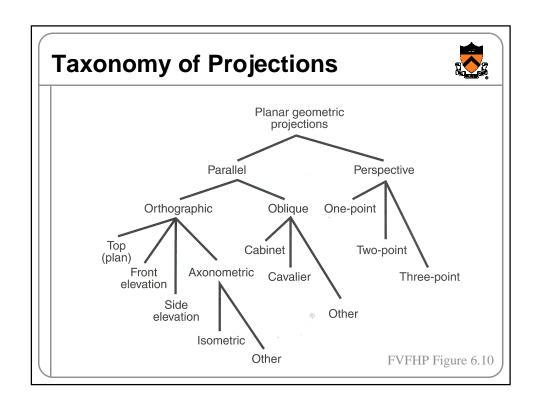
$$x'=x_c$$

$$y'=y_c$$

$$z'=z_c$$

$$w'=z_c/D$$

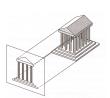
$$\begin{bmatrix} x_s \\ y_s \\ z_s \\ w_s \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 1/D & 0 \end{bmatrix} \begin{bmatrix} x_c \\ y_c \\ z_c \\ 1 \end{bmatrix}$$

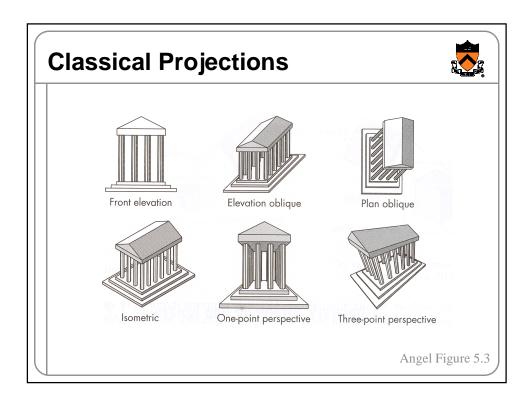


Perspective vs. Parallel



- Perspective projection
 - + Size varies inversely with distance looks realistic
 - Distance and angles are not (in general) preserved
 - Parallel lines do not (in general) remain parallel
- · Parallel projection
 - + Good for exact measurements
 - + Parallel lines remain parallel
 - Angles are not (in general) preserved
 - Less realistic looking





Summary



- Camera transformation
 - Map 3D world coordinates to 3D camera coordinates
 - Matrix has camera vectors as rows
- Projection transformation
 - Map 3D camera coordinates to 2D screen coordinates
 - Two types of projections:
 - » Parallel
 - » Perspective

